
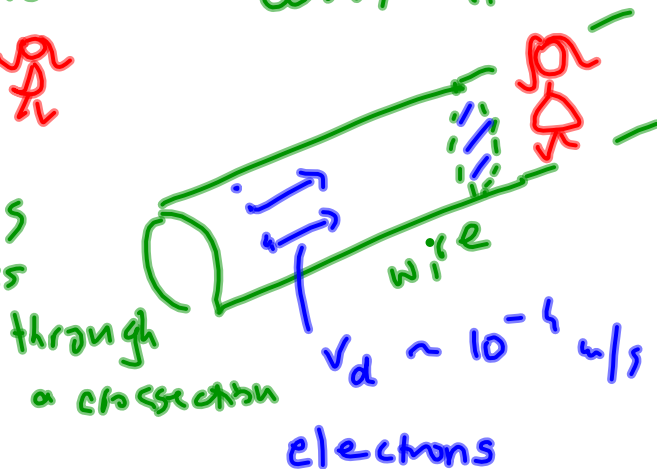


The electric current

- so far the charges were in static equilibrium

- now — controlled motion of charges — currents

- imagine 
counts
electrons
that pass
through
a cross section




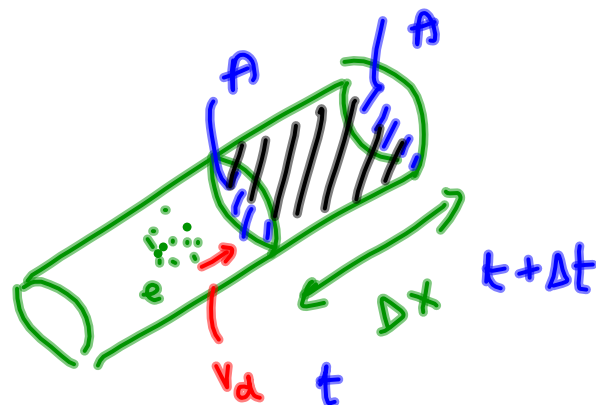
The charges that move in
a conductor are called
charge carriers.

Electrons are charge carriers.

Definition: i_e is electron current of a number of electrons per second that pass through a crosssection of a wire. [s⁻¹]

$$N_e = i_e \Delta t$$

number of electrons N_e that  counted during Δt time



increasing v_d (drift speed)
will increase N_e &
therefore i_e

the sea of electrons move through the distance

$$\Delta x = v_d \Delta t \quad // \text{ through the volume } V = A \Delta x$$

If the number density of electrons is n_e
per m^3 then

$$N_e = n_e V = n_e A \Delta x \Rightarrow$$

table in the book

$$N_e = n_e A \Delta x = n_e A v_d \Delta t$$

$$i_e = \frac{N_e}{\Delta t} = \frac{n_e A v_d \Delta t}{\Delta t} = n_e A v_d$$

$i_e \uparrow$ if $n_e \uparrow$ more of electrons
 $v_d \uparrow$ go faster
 $A \uparrow$ size increases

$$\Delta x = v_d \Delta t$$

if you want to discharge a capacitor & $v_d \sim 10^{-4}$, $\Delta x = 0.2\text{m}$
how long will it take us

$$\Delta t = \frac{\Delta x}{v_d} = 1/2 \text{ h}$$

this doesn't happen in reality

- what we overlooked is that wire is already full of electrons

A nonuniform distribution of surface charges along a wire creates a net electric field inside the wire that points from the more positive end toward the more negative end.

This is the internal field \vec{E} that pushes the electric current through the wire

$$i_e = n_e A v_d | \cdot q$$

$$I = \frac{\Delta Q}{\Delta t}$$

net rate of charge
crossing an area in time
 Δt

$$I = n_e A v_d q$$

$$[C/s] = [A] \text{ ampere}$$

for steady current $I = \frac{\Delta Q}{\Delta t}$

instantaneous current $I = \frac{dQ}{dt}$

Note: current in direction where + flows (historical reasons)

Ex A 1.8 mm diameter copper wire carries 15 A to a household appliance. Find the magnitude of the electric field in the wire.

$$I = 15 \text{ A} \quad r = 0.9 \text{ mm}$$

$$2r = 1.8 \text{ mm}$$

$$E = \frac{I \rho}{\pi r^2} = \frac{15 \text{ A} \cdot 1.68 \times 10^{-8} \text{ } \Omega \cdot \text{m}}{\pi \cdot (0.9 \text{ mm})^2} = 95 \text{ mV/m}$$

ρ resistivity $\rho = 1/\sigma$
 σ how easily the charges can move in a material