

Physics 535 – Lecture 26

Physics of Lightning

Electron speed and effective temperature

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(Photo courtesy of Harald Edens)

Bazelyan 2.1

Mobility is a great concept – but what happens when the drift velocity is not negligible compared to the thermal velocity?

Electrons end up out of equilibrium. However, in a time given by

$$\tau = \frac{1}{\nu \delta} \quad \delta = 2 \frac{m_e}{m_{\text{air}}} \simeq 4 \times 10^{-5}$$

They transfer their energy back to the gas molecules. In the meantime, they have an “effective temperature”, which is far higher than the gas temperature.

How can we “save” mobility theory to roughly calculate electron behavior?

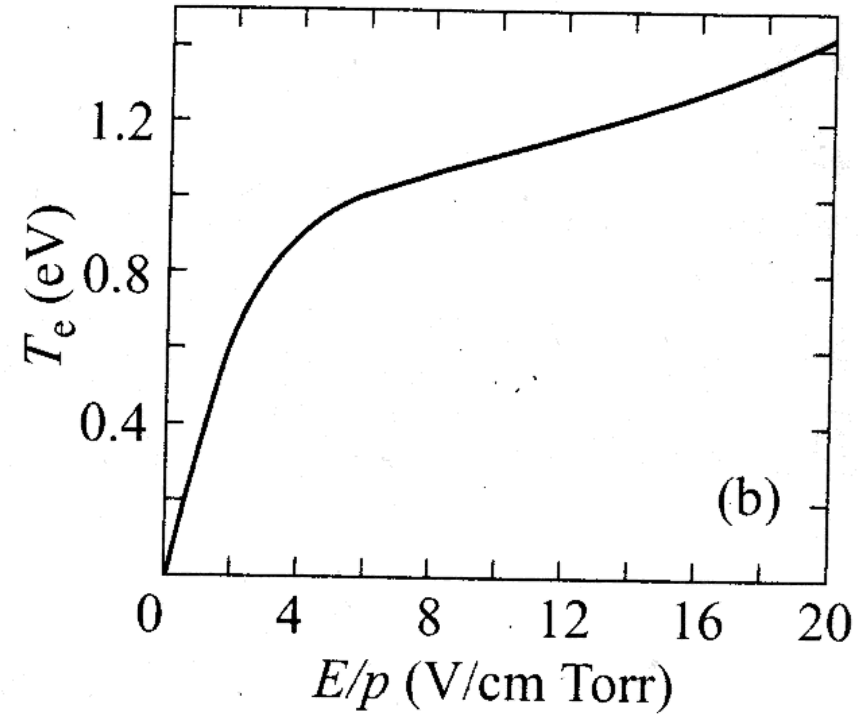
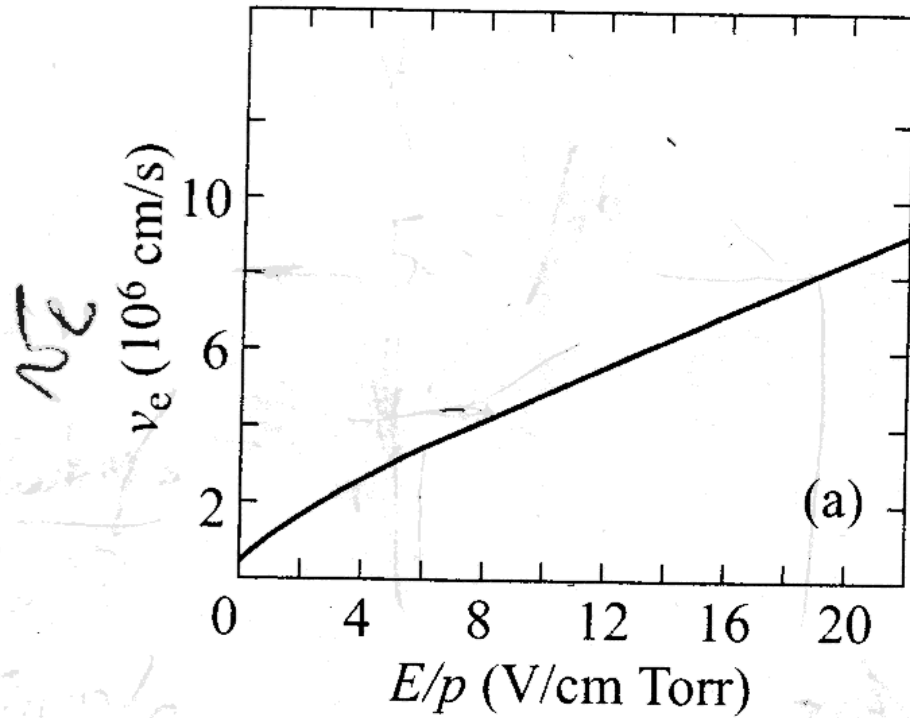


FIGURE 2.1

Electron drift velocity (a) [2.2] and temperature (b) [2.3] in air.

$$E = \frac{V}{\text{cm} \cdot \text{Torr}} \times P$$

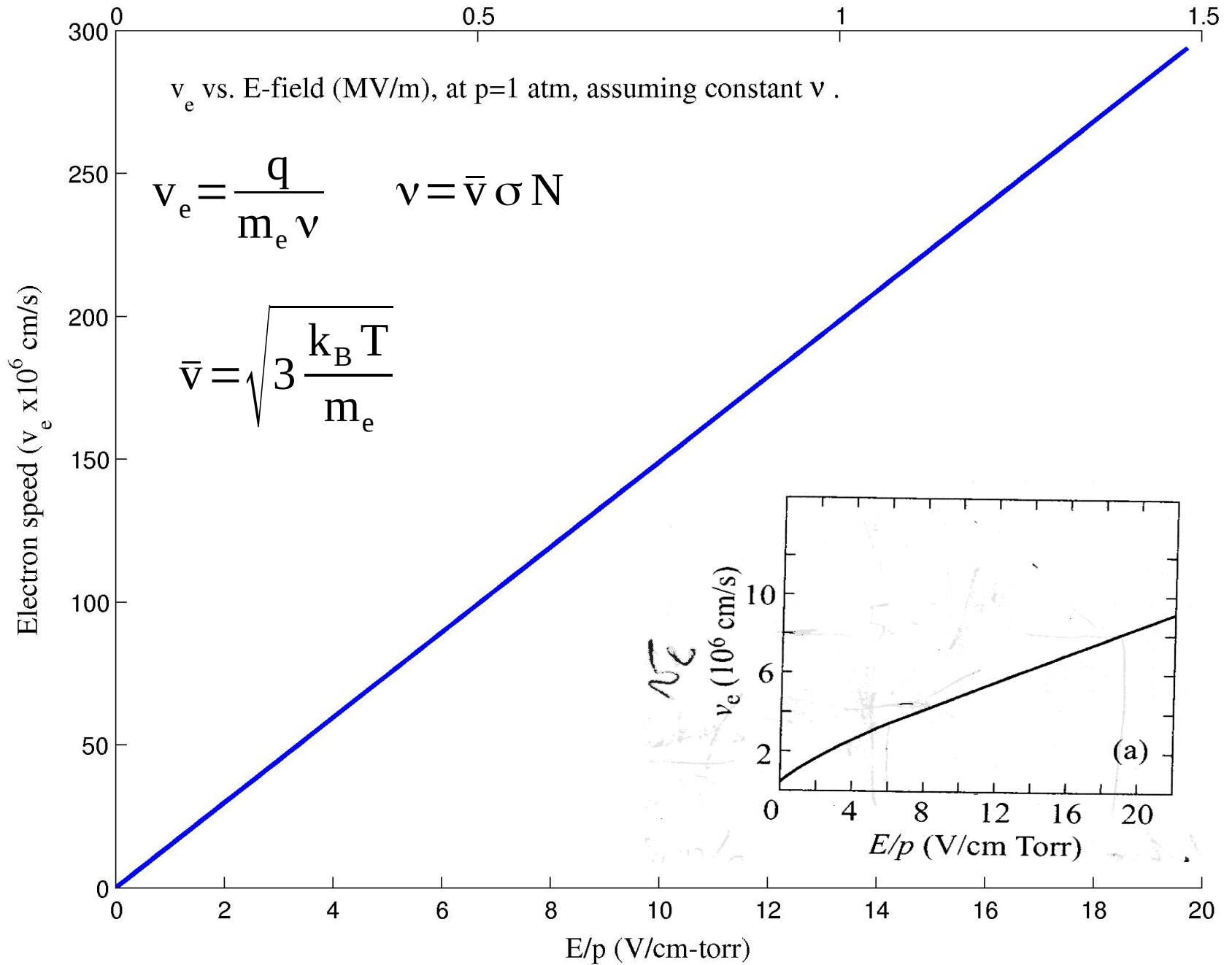


Figure2 1

Define Effective Temperature

$$T_{\text{eff}} = T + \frac{m v_{\text{drift}}^2}{3 k_B}$$

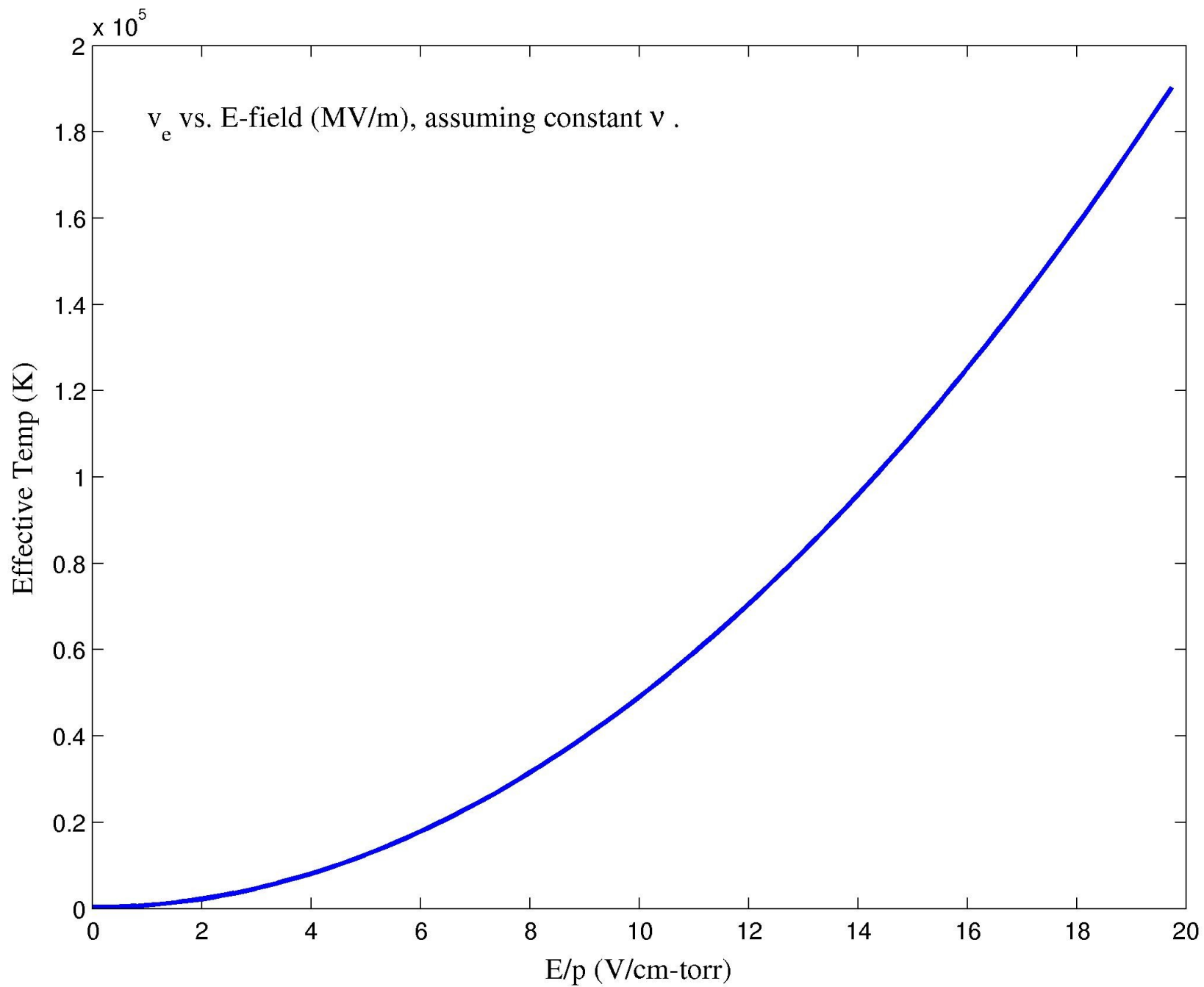
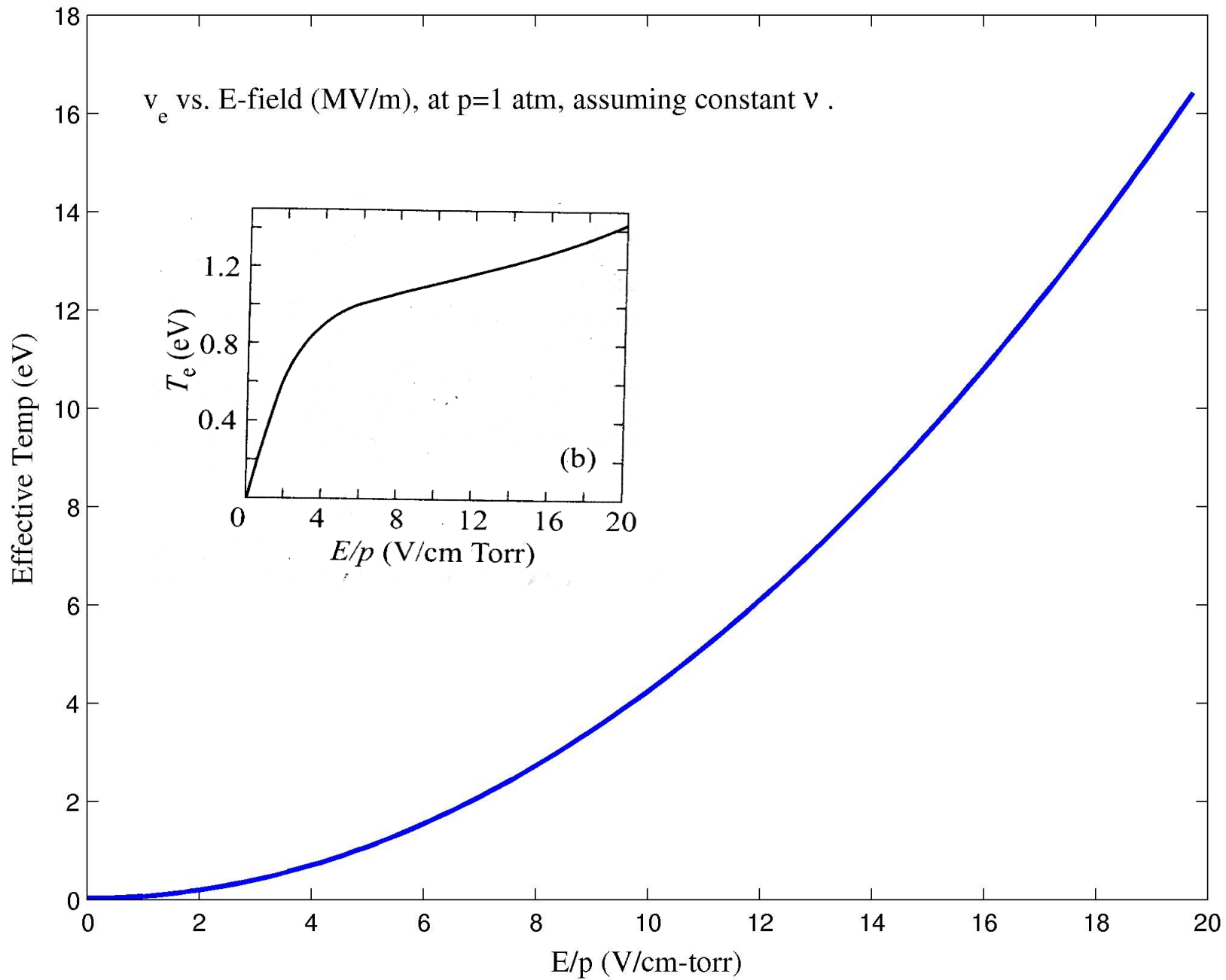


Figure2 1



Collisions get more frequent as electron moves faster

Assume “mean free path” is constant.

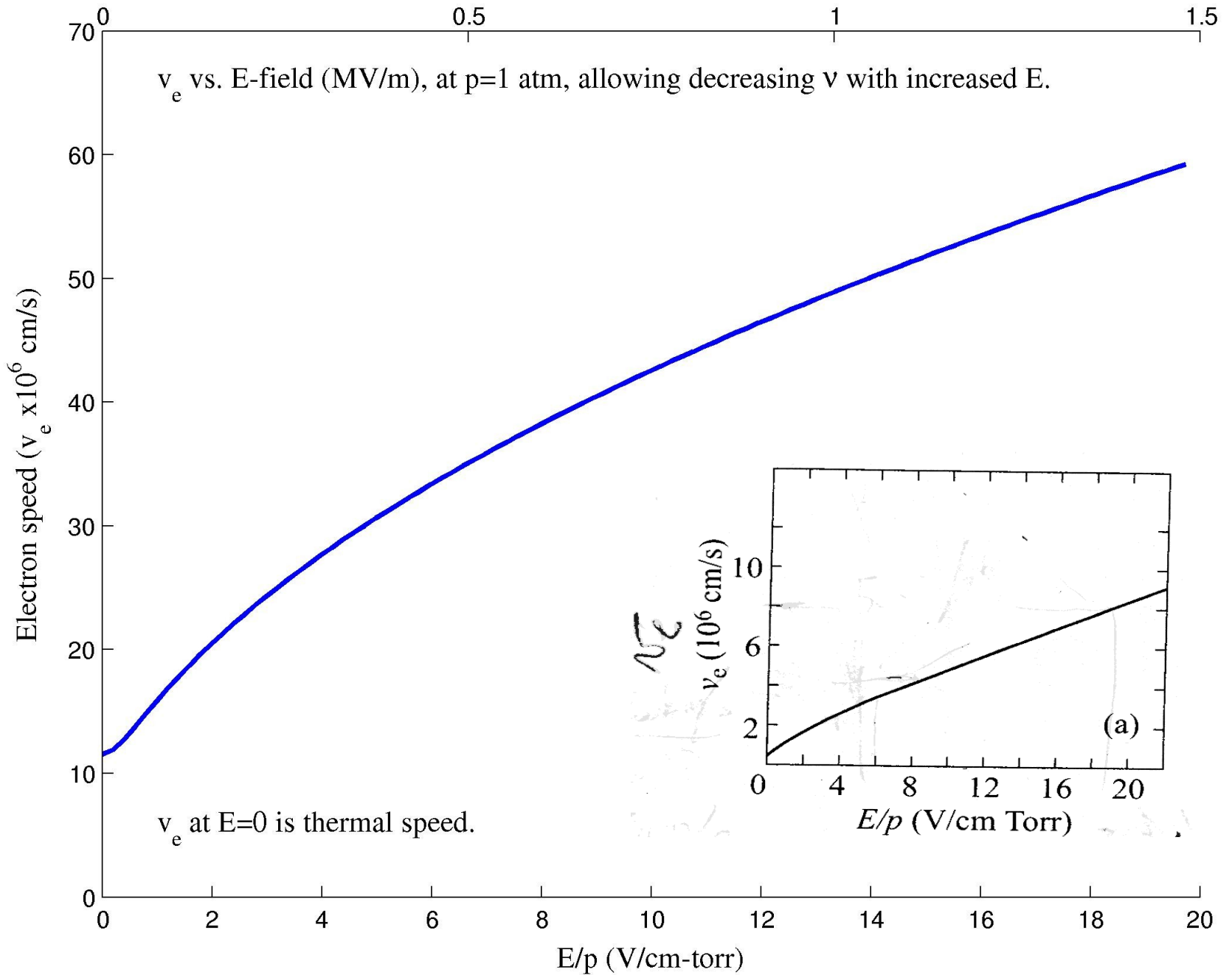


Figure2 1

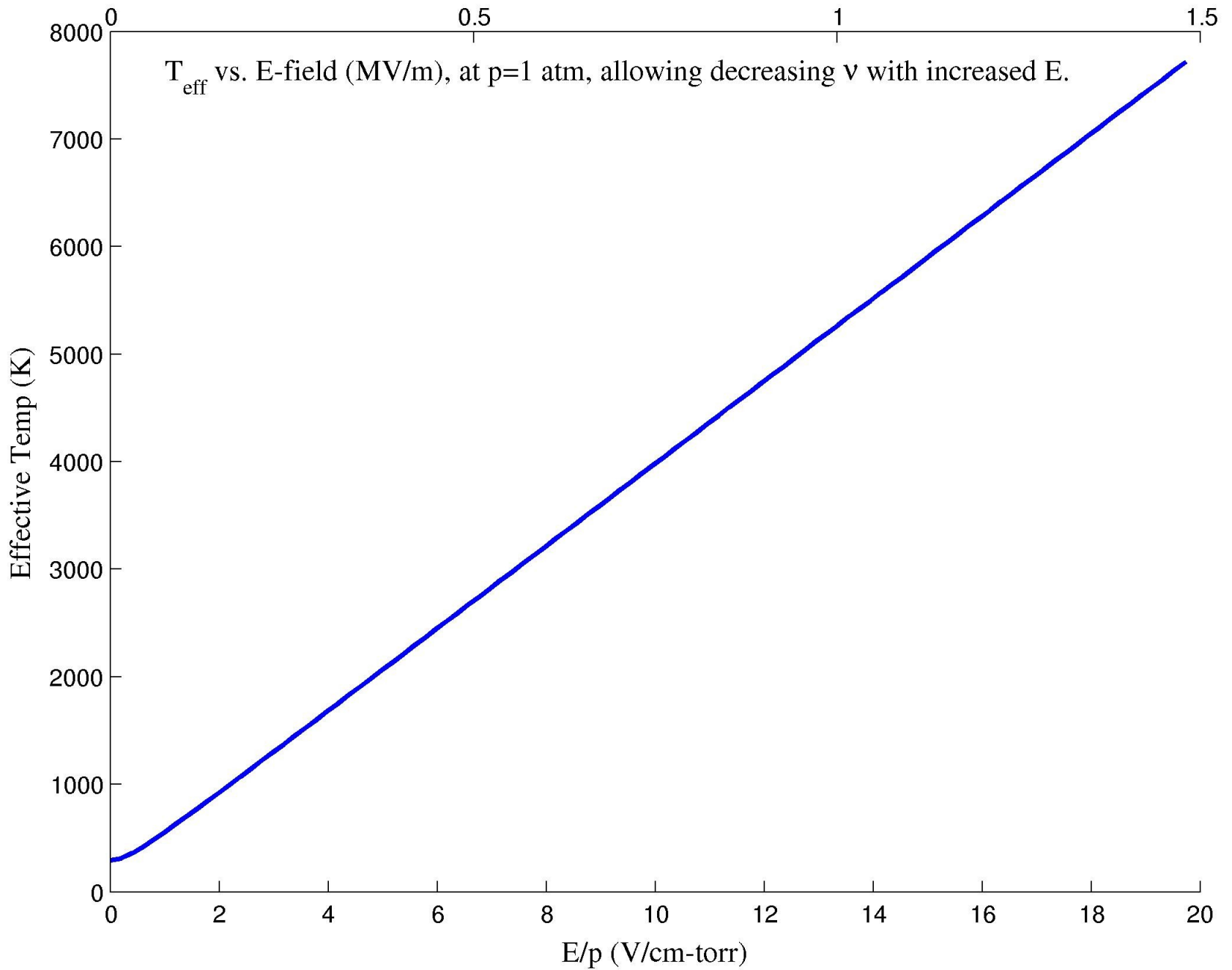


Figure2 1

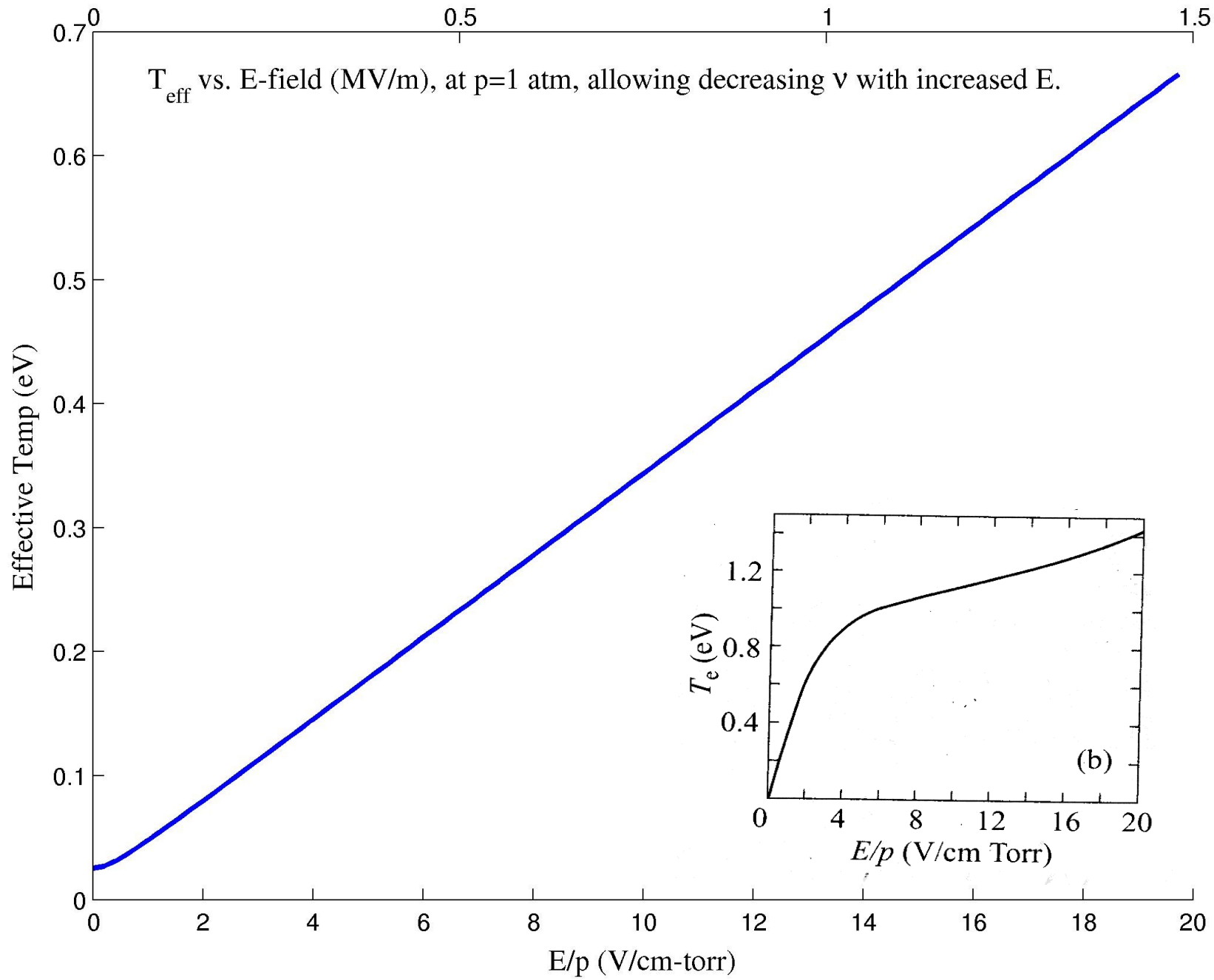


Figure2 1

Deriving delta

The factor

$$\delta = 2 \frac{m_e}{m_{\text{air}}} \simeq 4 \times 10^{-5}$$

Can be derived from classical momentum and energy conservation.