

# Physics 535A – Lecture 5

## Physics of Lightning

Simple Electrostatic Return Stroke Models

1/29/2016

**Richard Sonnenfeld**

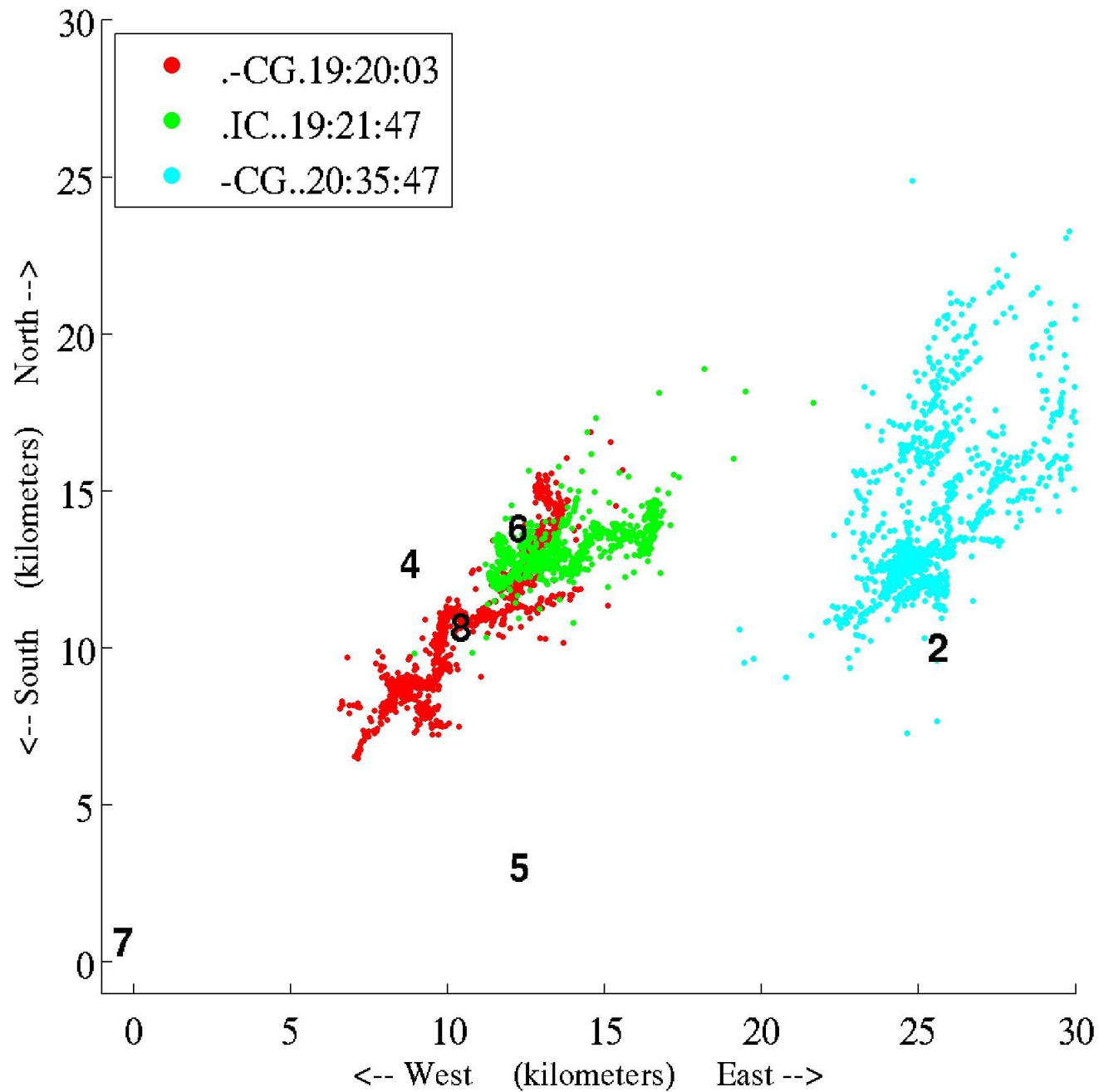
**Physics Department &  
Langmuir Laboratory for Atmospheric Physics  
New Mexico Institute of Mining and Technology**

(Photo courtesy of Harald Edens)

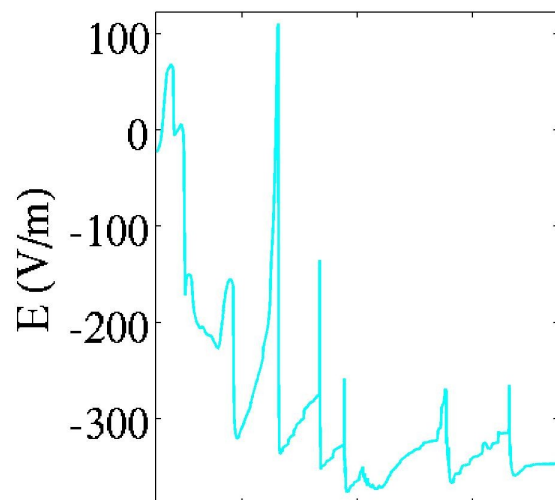
# Lecture 4

Showed first few slides ... actual data ... introduced image charges

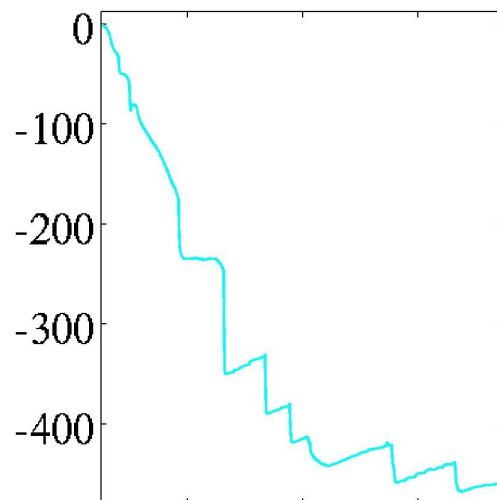
# Flashes and Station Locations



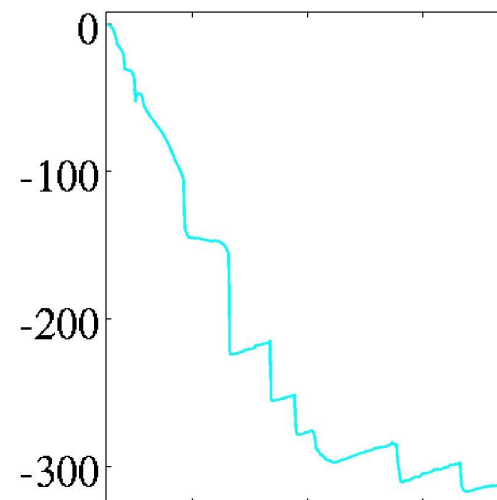
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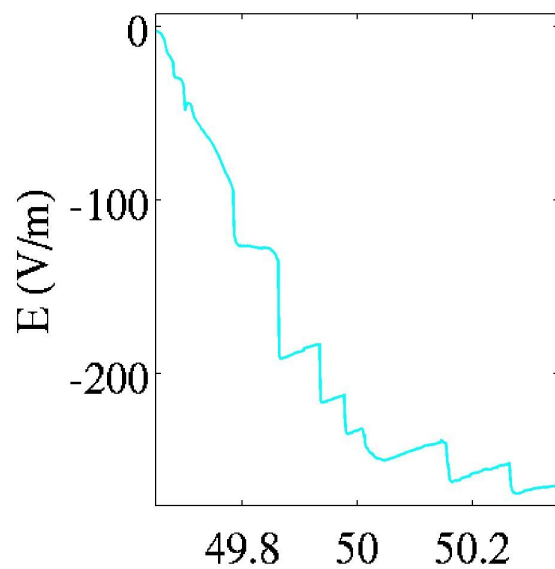
Station 8



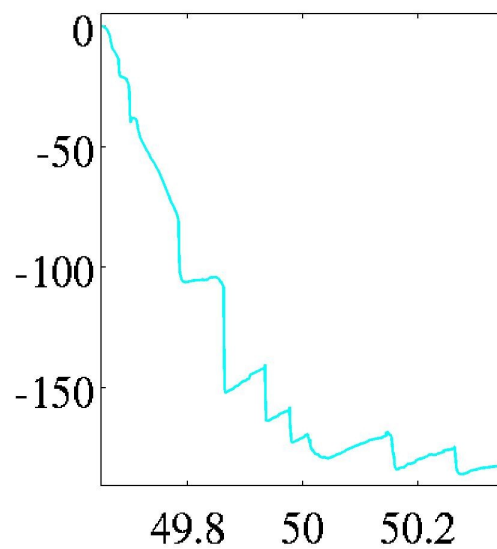
Station 6



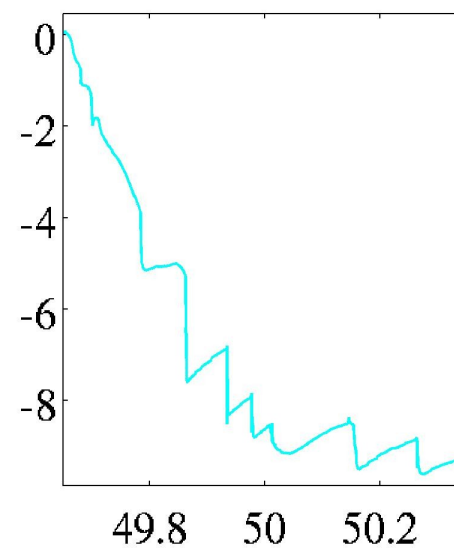
Station 4



Station 5

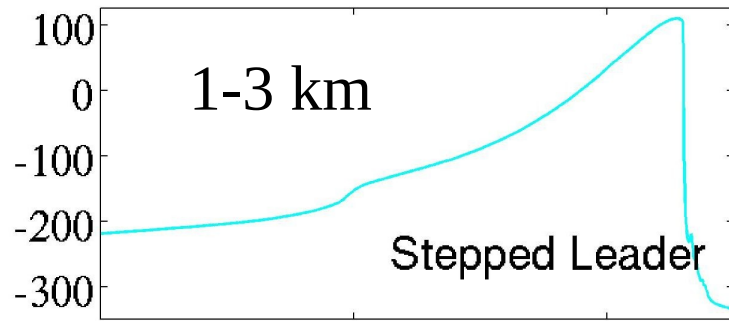


Station 7

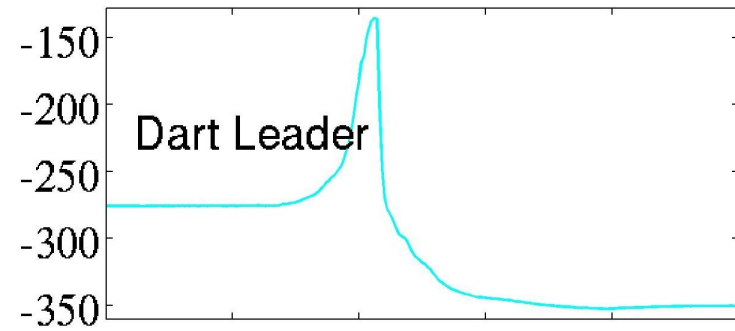


Time (seconds since 2035 UT)

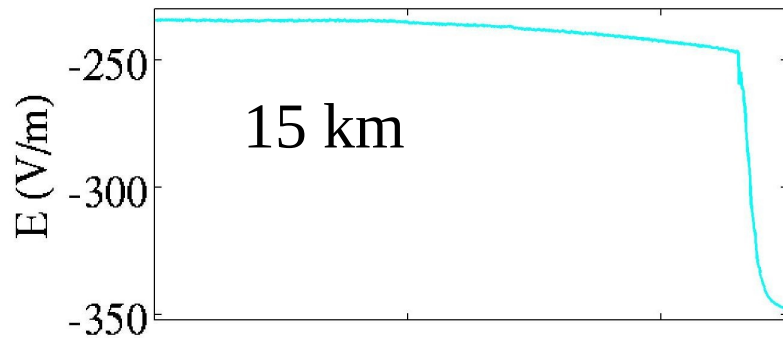
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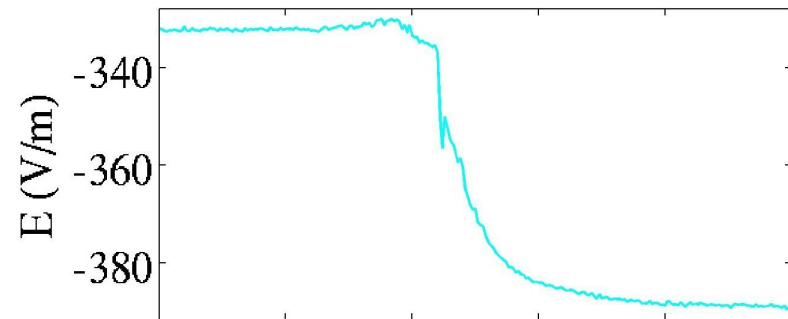
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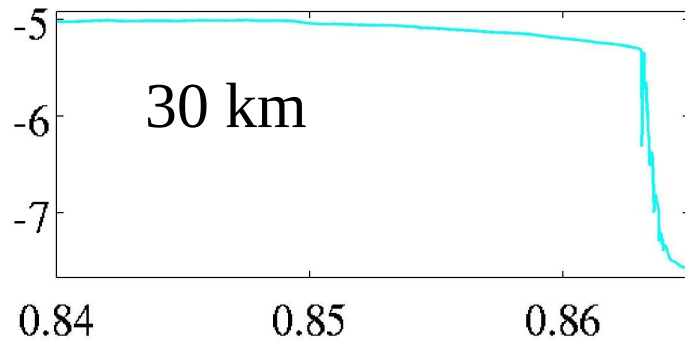
Station 8



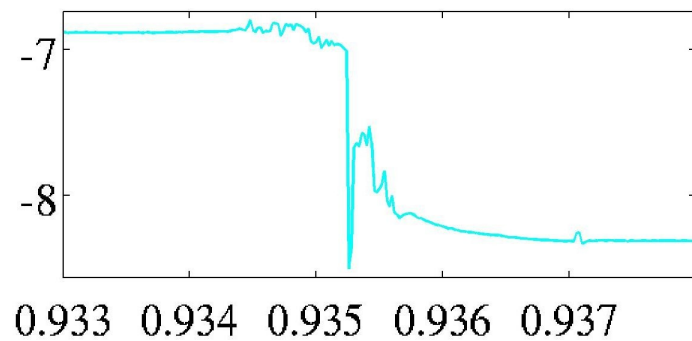
Station 8



Station 7



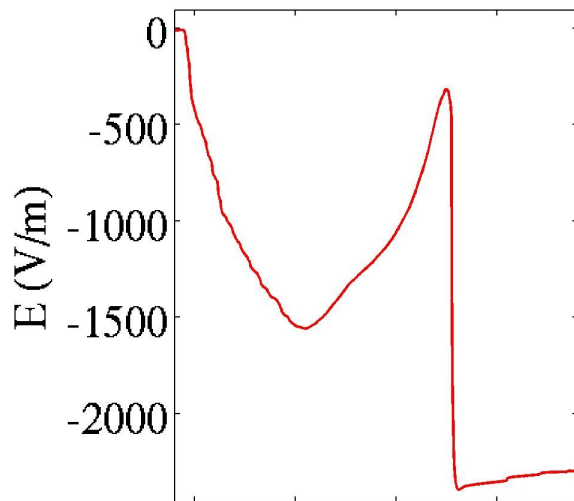
Station 7



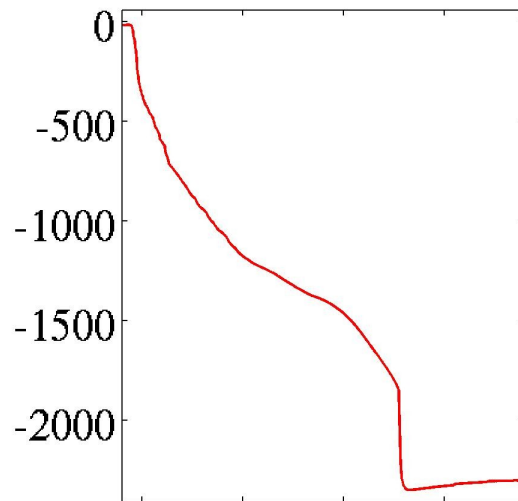
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Time: Seconds since 20:35:49 UT

0.933 0.934 0.935 0.936 0.937  
Time: Seconds since 20:35:49 UT

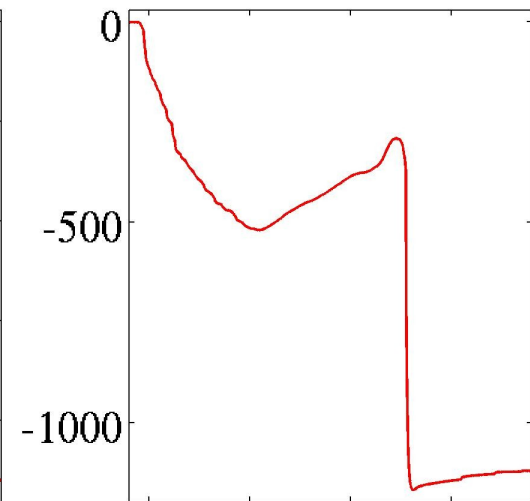
Station 8



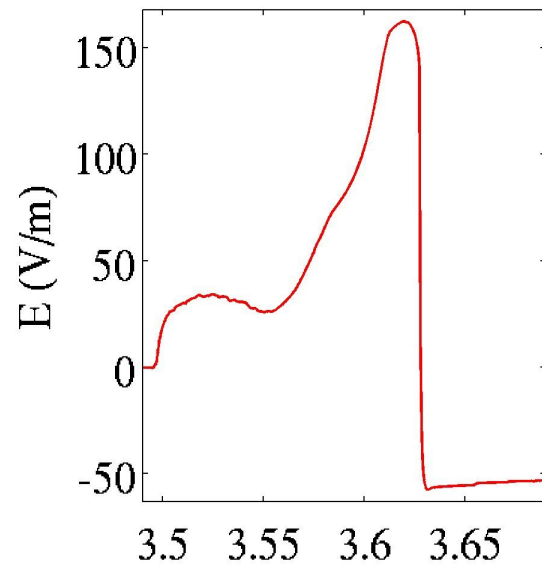
Station 6



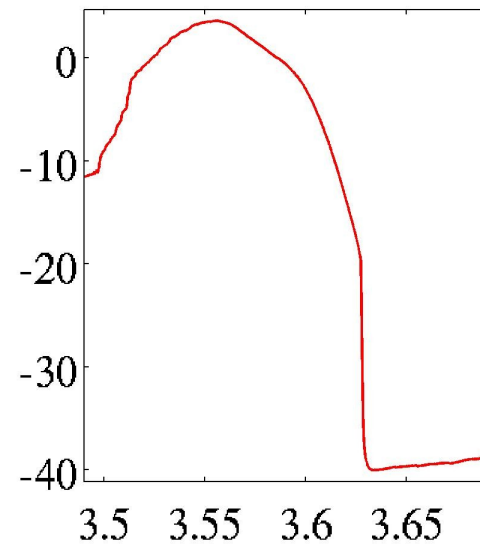
Station 4



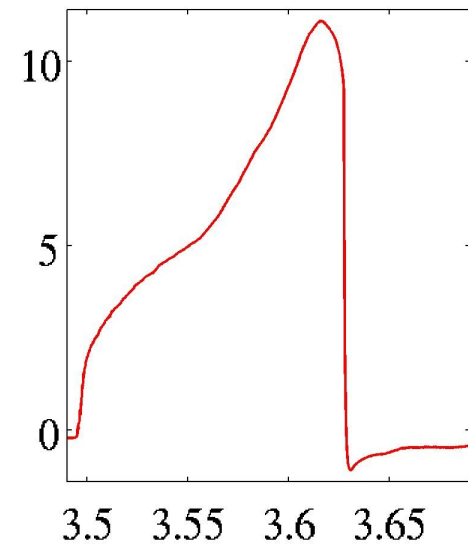
Station 5



Station 2

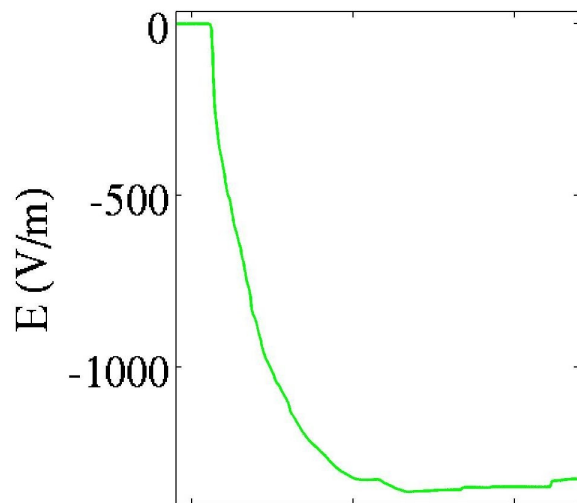


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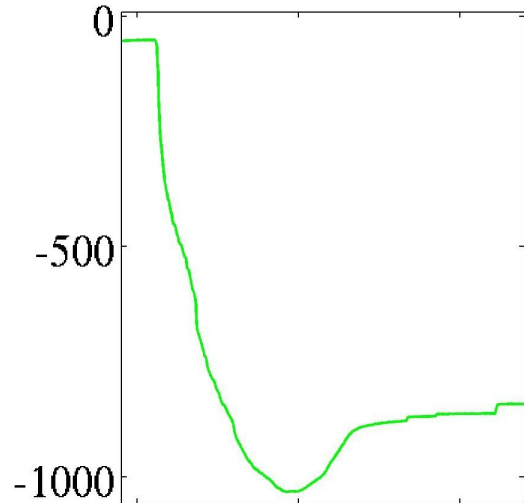


Time (seconds since 1920 UT)

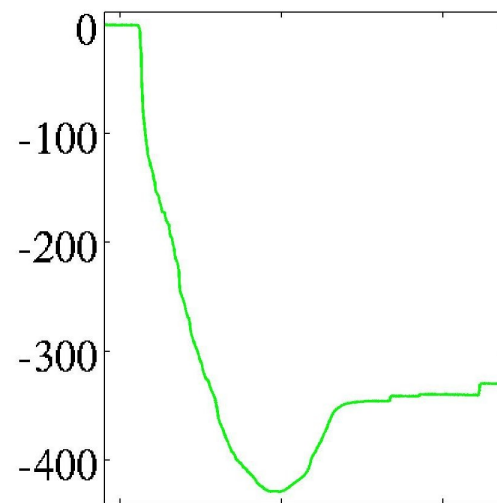
Station 6



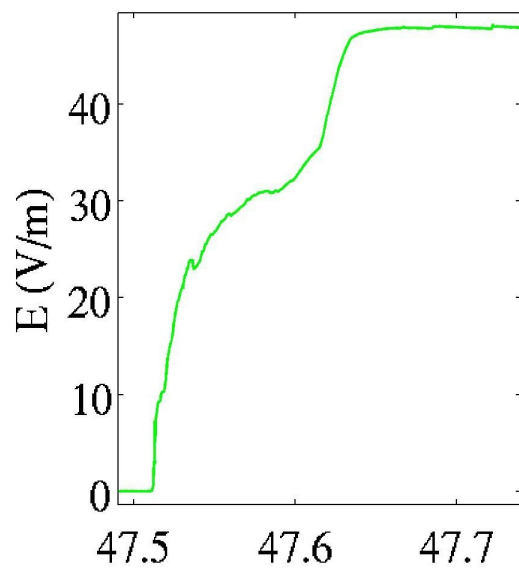
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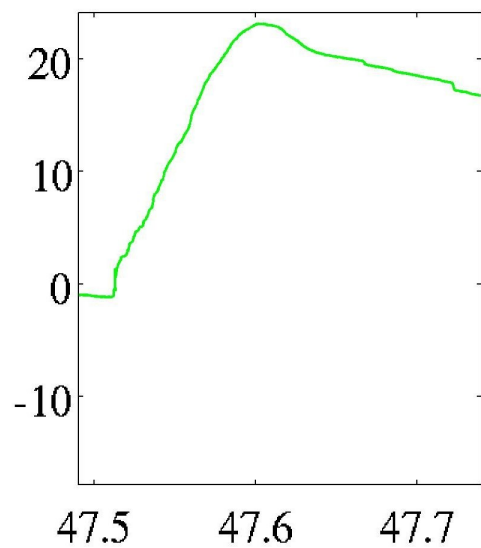
Station 4



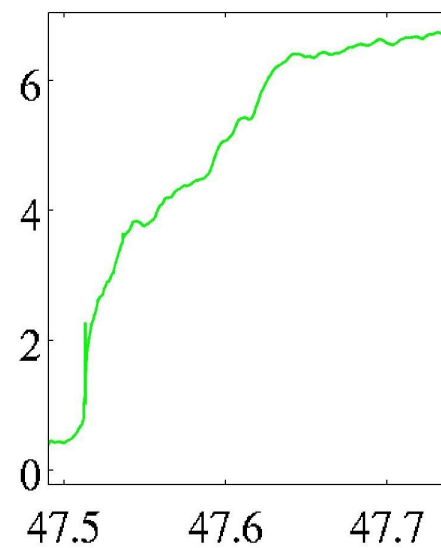
Station 5



Station 2



Station 7



Time (seconds since 1921 UT)

# Lecture 5

Showed how distributed fit better than lumped (showed rest of the slides). Asked how you could tell IC's from Cgs (no return strokes ... K-changes perhaps going different directions at different distances)



# Multi-station field-change measurements

With Multi-station field change data, you can:

Distinguish IC from CG flashes

Measure polarity of a flash

Possibly locate the charge center.

Quantify the charge transferred.

# Electrostatic return-stroke model

## Distributed

Let CG flash begin one kilometer above main negative charge center (6 km).

Let leader extend at  $0.001c$ . For each “step” put a charge  $dQ = \text{steplength} * \lambda$ .

Let  $\lambda$  be a constant =  $-1 \text{ mC/m}$

As leader extends, leave behind an opposite charge  $Q^+$  at the origin site of flash. So  $Q^+$  grows by  $dQ$  every time the leader extends.

When leader reaches ground, immediately (in  $<0.1 \text{ ms}$ ) eliminate all  $dQ^-$  charges on the leader, leaving only the positive charge  $Q^+$  back in the clouds.

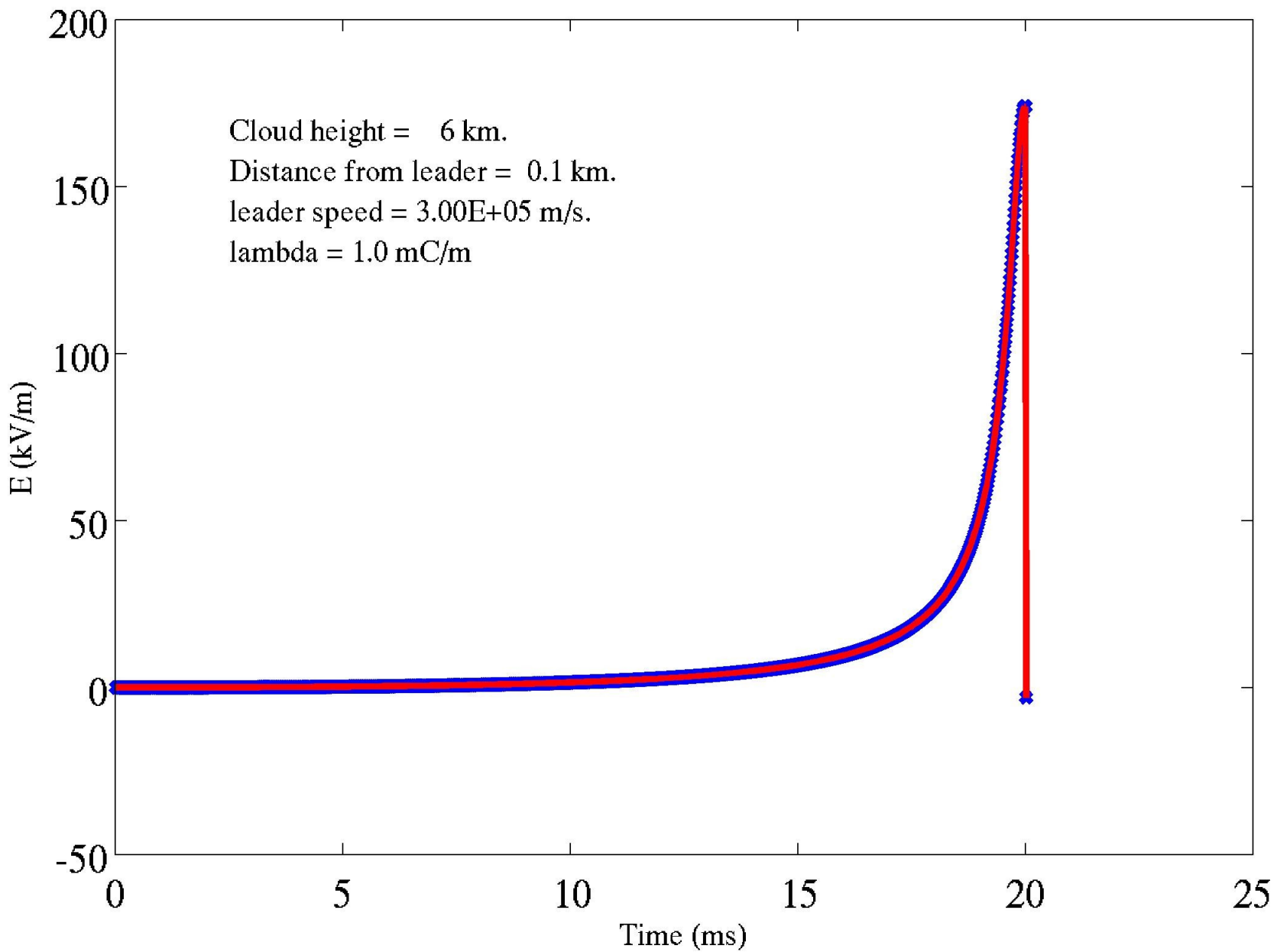
*Note: Every charge must have an image charge*

# Electrostatic return-stroke model

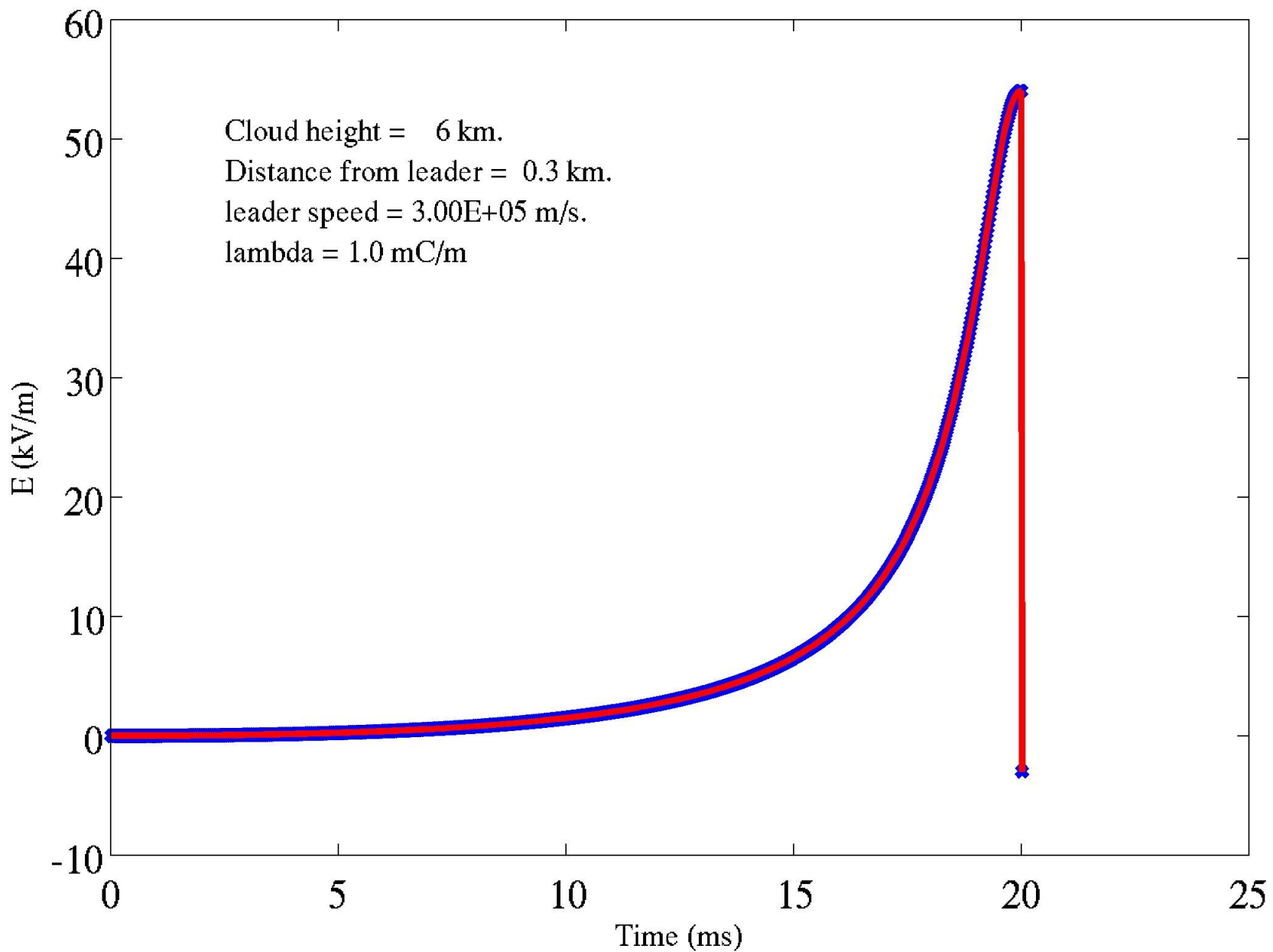
## Distributed

*Note: Every charge must have an image charge.*

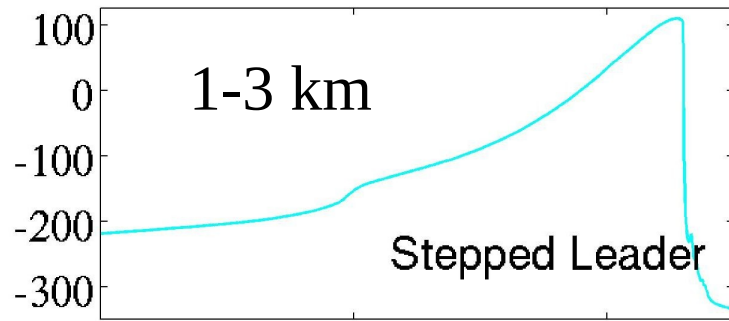
Distributed Charge  
Negative CG  
Simulated leader/return stroke



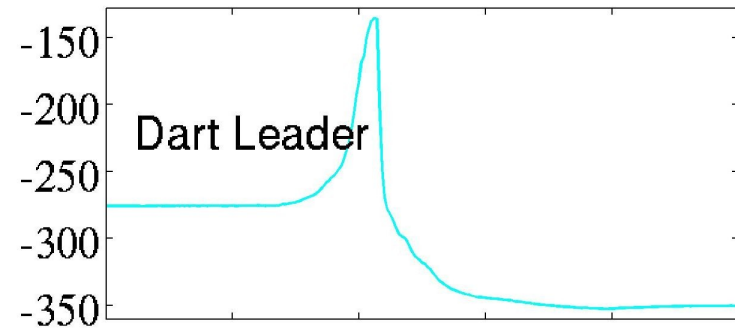
Distributed Charge  
Negative CG  
Simulated leader/return stroke



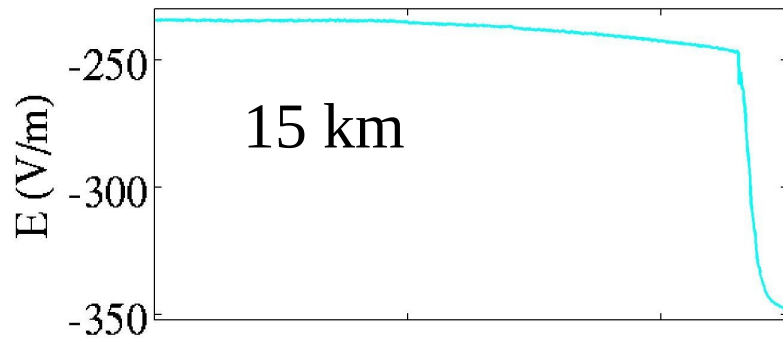
Station 2



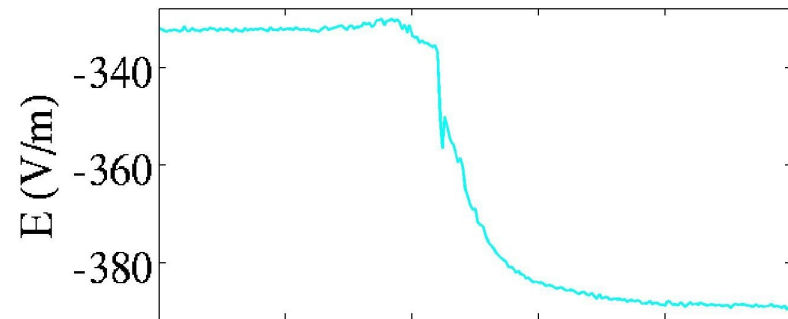
Station 2



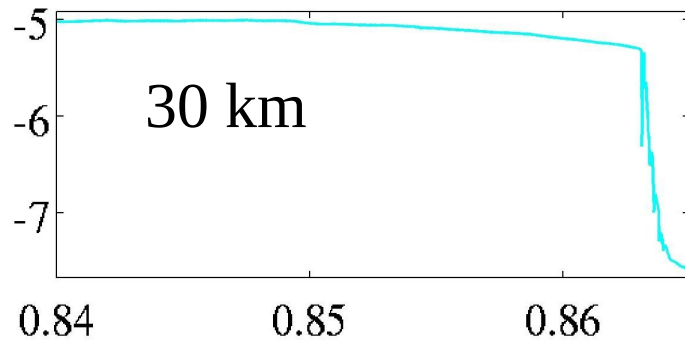
Station 8



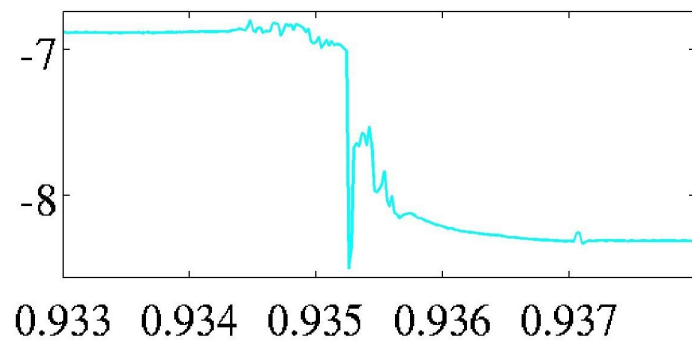
Station 8



Station 7



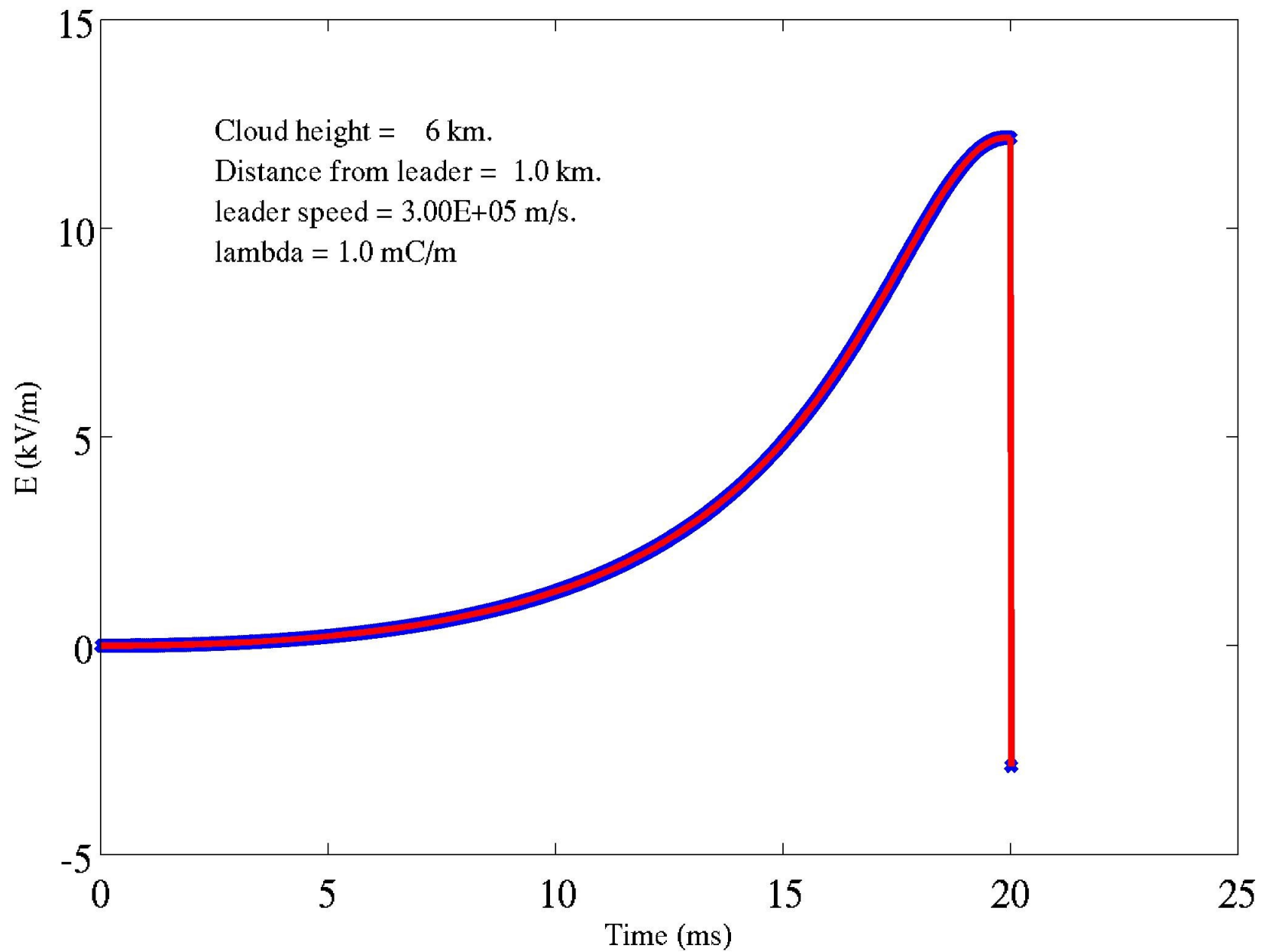
Station 7



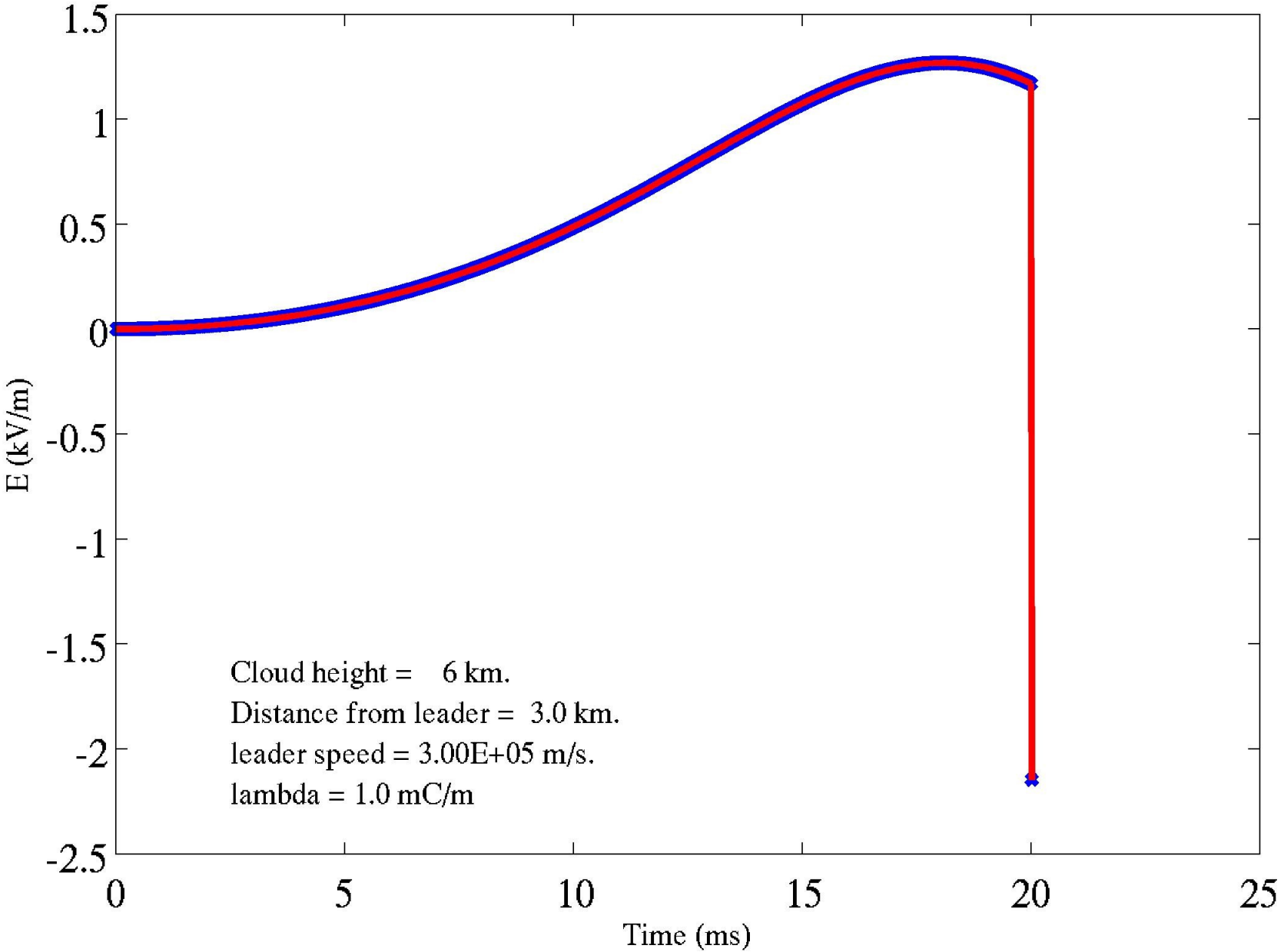
0.84 0.85 0.86  
Time: Seconds since 20:35:49 UT

0.933 0.934 0.935 0.936 0.937  
Time: Seconds since 20:35:49 UT

Distributed Charge  
Negative CG  
Simulated leader/return stroke



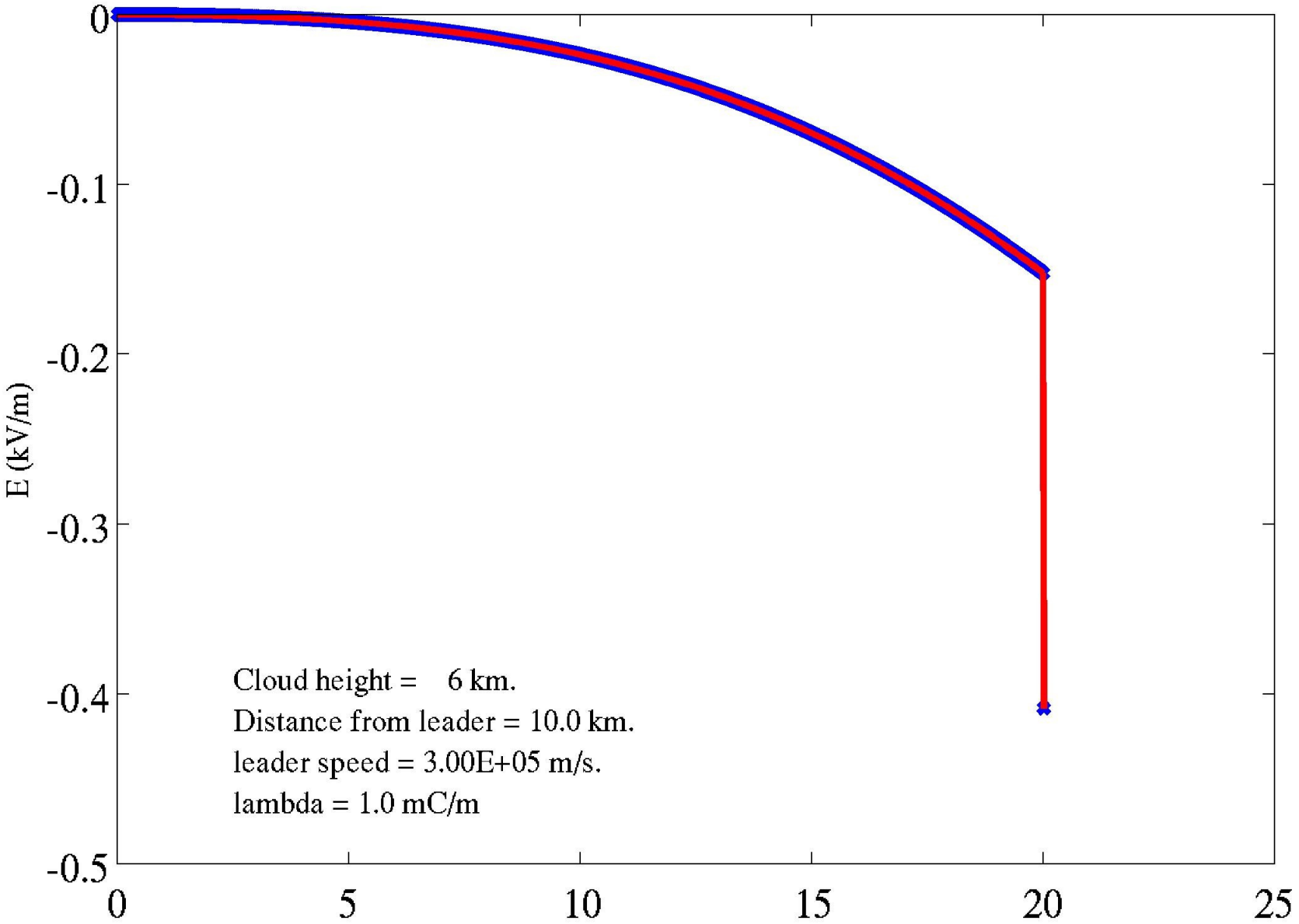
Distributed Charge  
Negative CG  
Simulated leader/return stroke



Cloud height = 6 km.  
Distance from leader = 3.0 km.  
leader speed = 3.00E+05 m/s.  
lambda = 1.0 mC/m

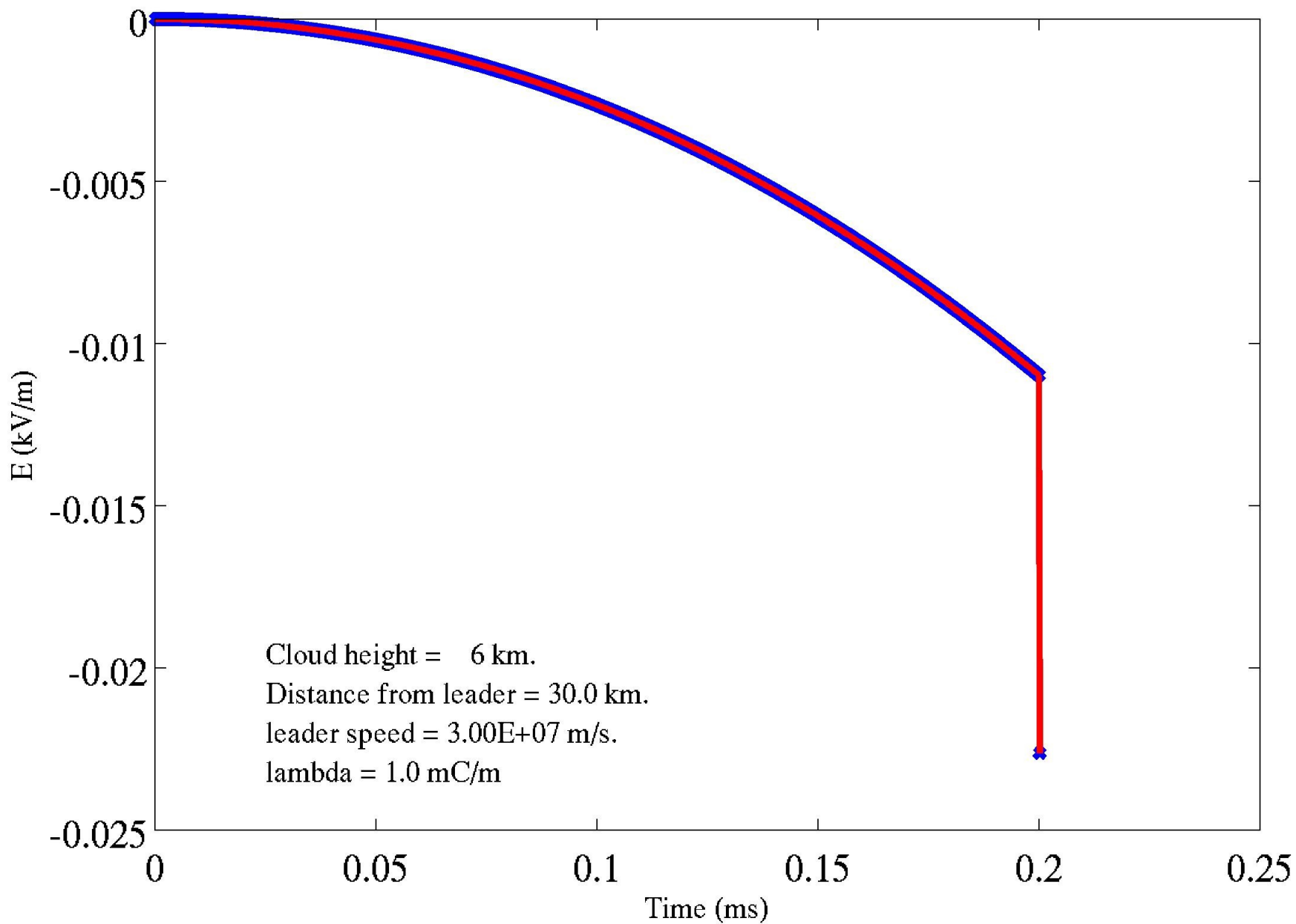


Distributed Charge  
Negative CG  
Simulated leader/return stroke



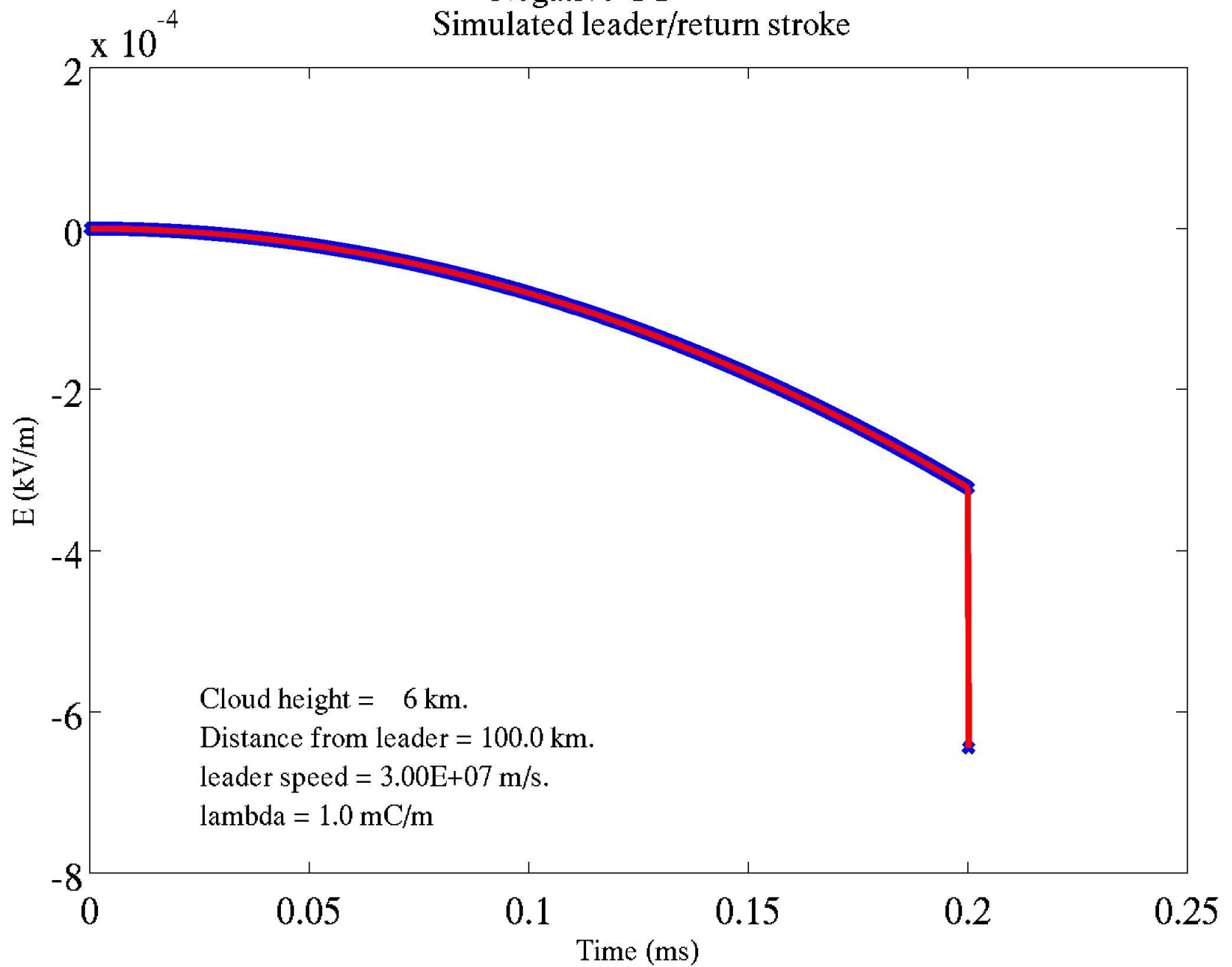
Cloud height = 6 km.  
Distance from leader = 10.0 km.  
leader speed = 3.00E+05 m/s.  
lambda = 1.0 mC/m

Distributed Charge  
Negative CG  
Simulated leader/return stroke



Cloud height = 6 km.  
Distance from leader = 30.0 km.  
leader speed = 3.00E+07 m/s.  
lambda = 1.0 mC/m

Distributed Charge  
Negative CG  
Simulated leader/return stroke



Cloud height = 6 km.  
Distance from leader = 100.0 km.  
leader speed =  $3.00\text{E}+07$  m/s.  
 $\lambda = 1.0$  mC/m

# Electrostatic return-stroke model

## Lumped

Let CG flash begin one kilometer above main negative charge center (6 km).

Select total charge to transfer (e.g.  $Q = -6$  Coulombs)

Let leader extend at  $0.001c$ . For each “step” move the ENTIRE  $Q^-$  to the new location of the step.

As leader extends, leave behind an opposite charge  $Q^+$  at the origin site of flash.  $Q^+$  is constant for the entire flash.

When leader reaches ground, immediately (in  $<0.1$  ms) eliminate  $Q^-$ , leaving only the positive charge  $Q^+$  back in the clouds.

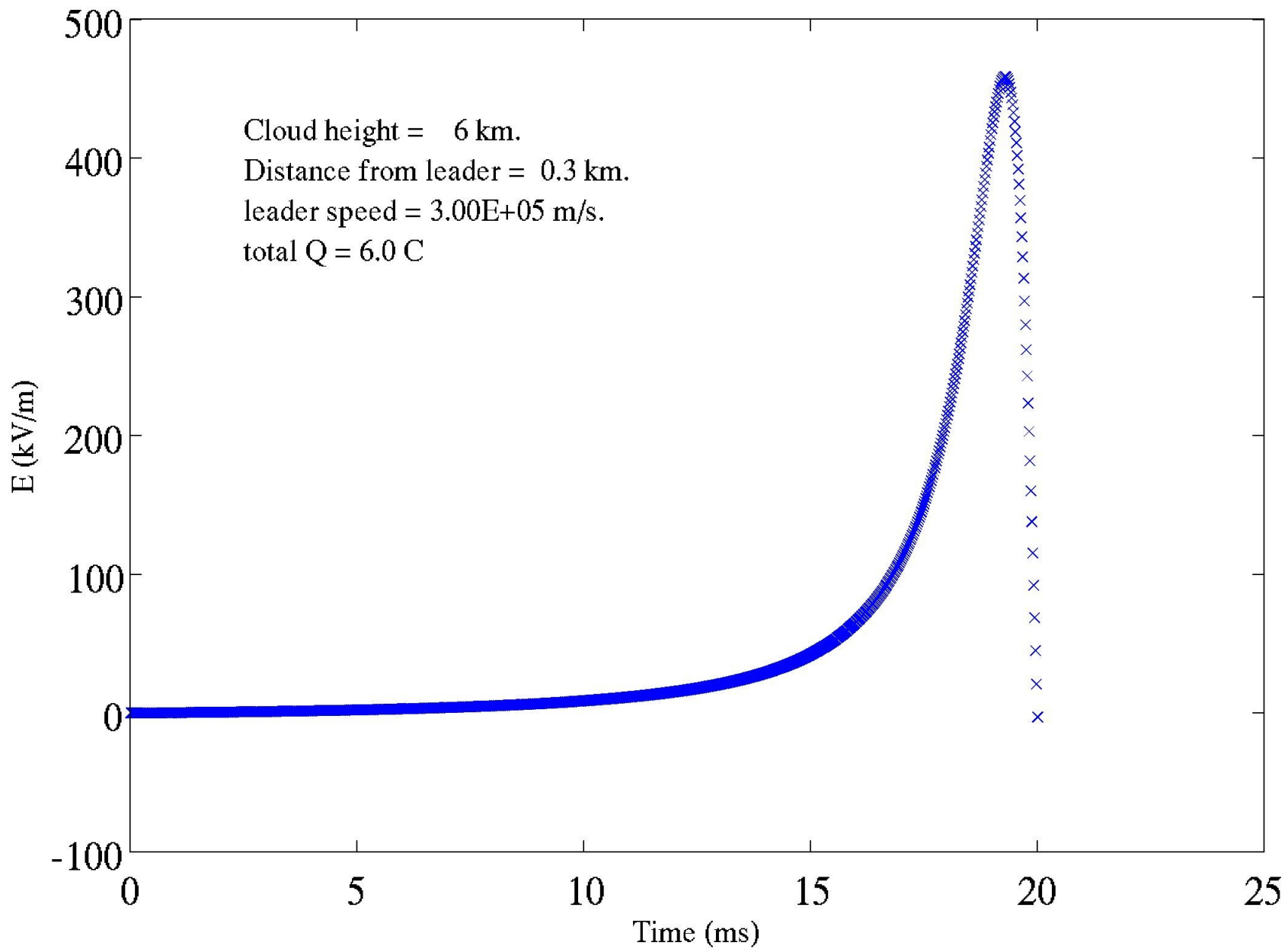
*Note: Every charge must have an image charge.*

# Electrostatic return-stroke model

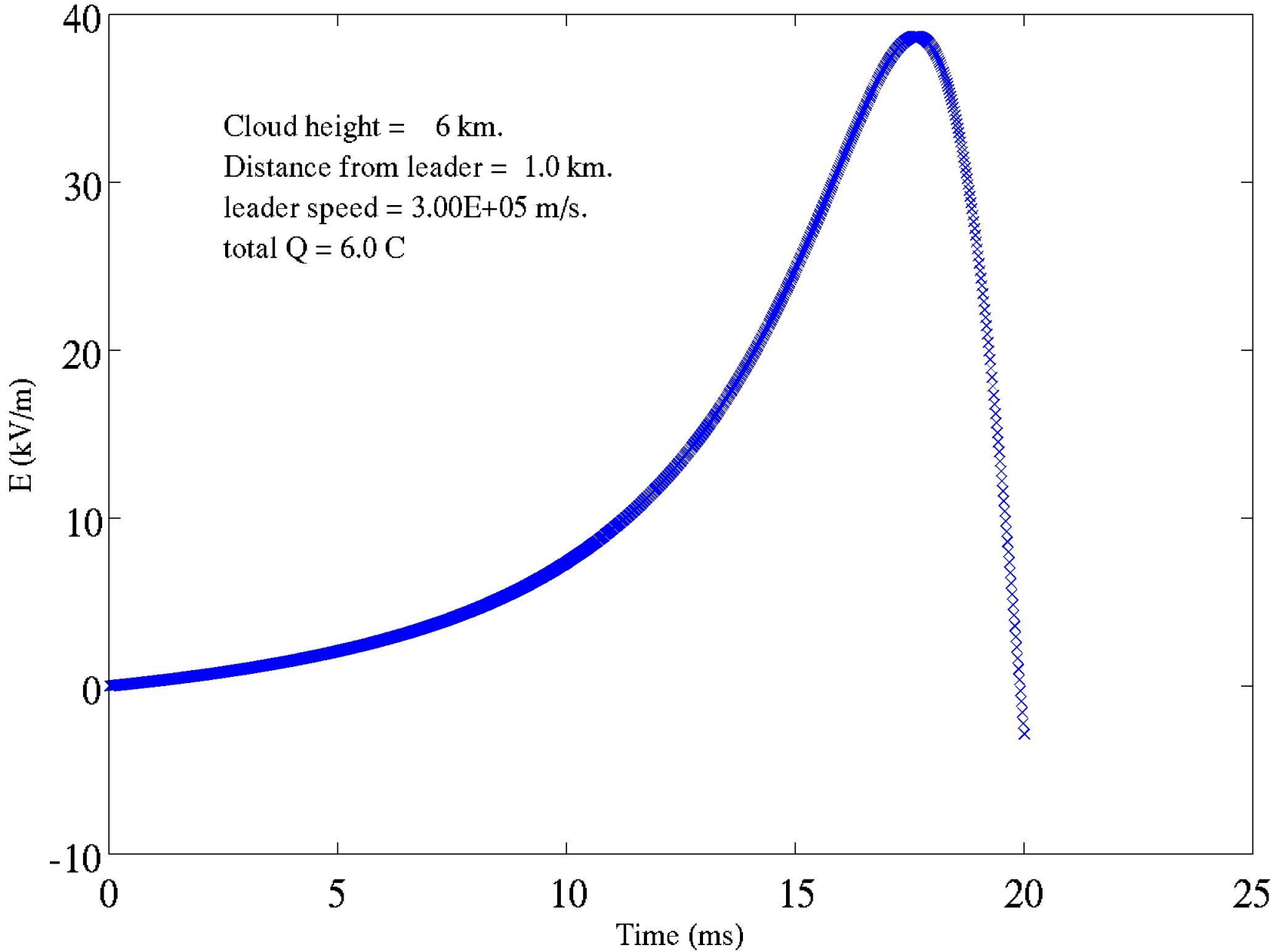
## Lumped

*Note: Every charge must have an image charge.*

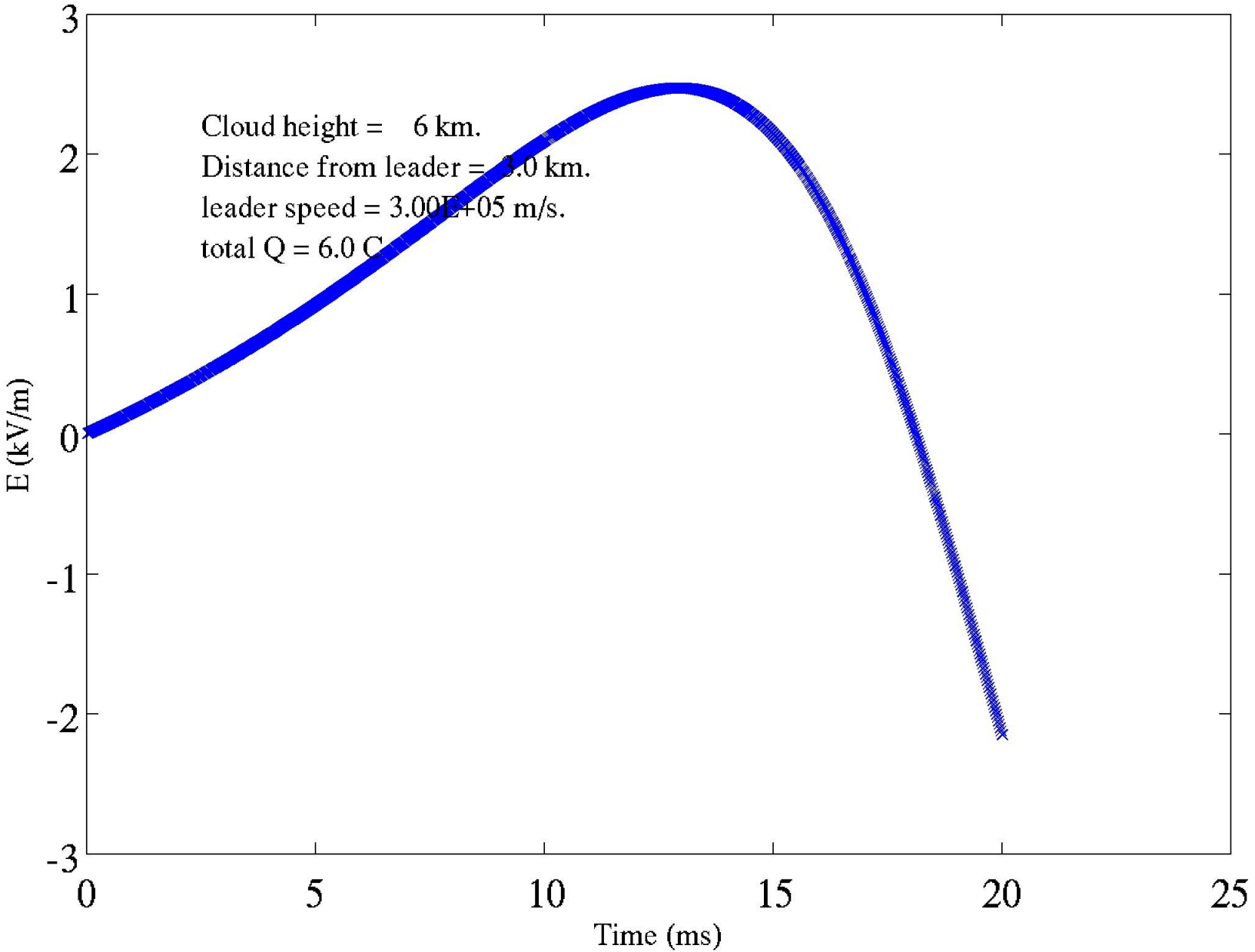
Lumped Charge  
Negative CG  
Simulated leader/return stroke



Lumped Charge  
Negative CG  
Simulated leader/return stroke

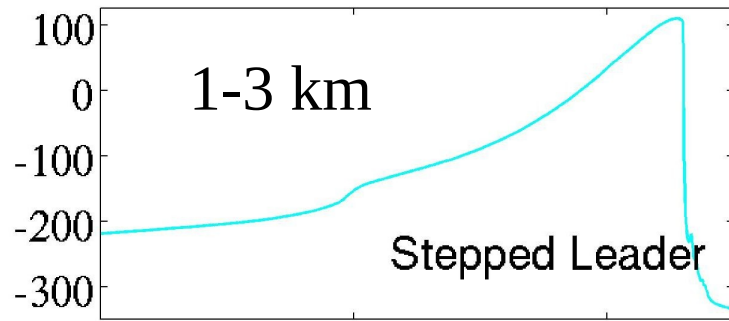


Lumped Charge  
Negative CG  
Simulated leader/return stroke

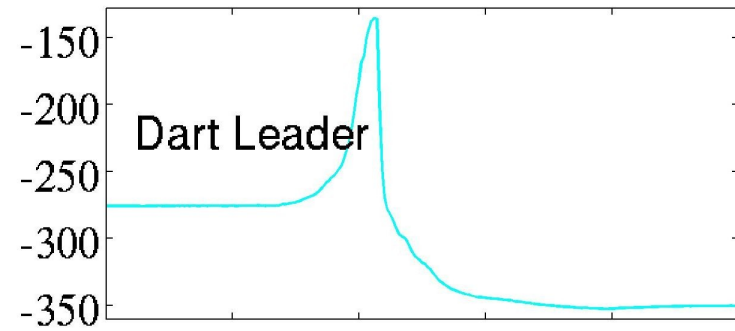




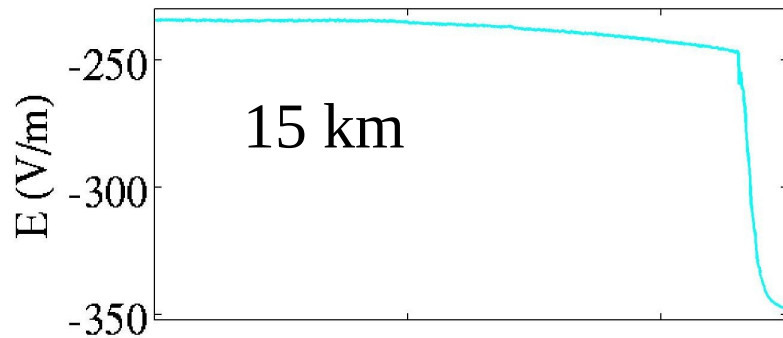
Station 2



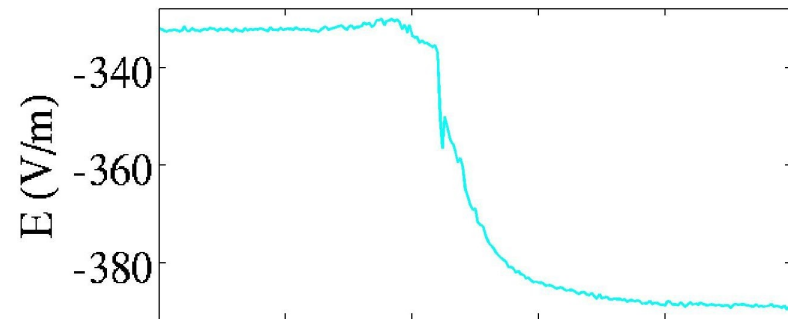
Station 2



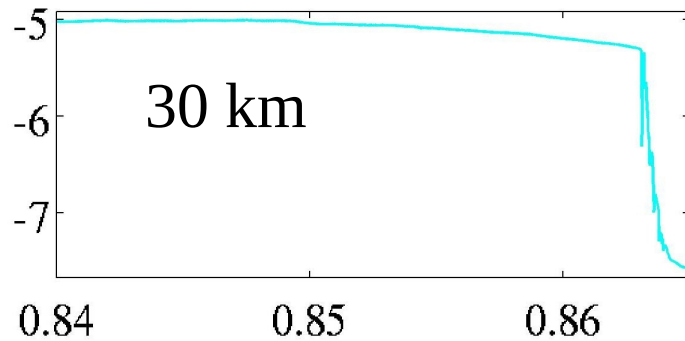
Station 8



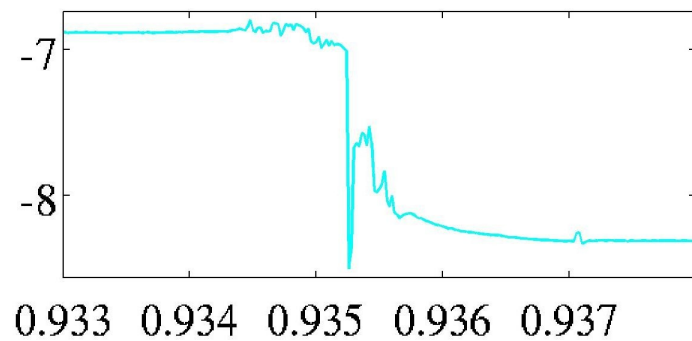
Station 8



Station 7



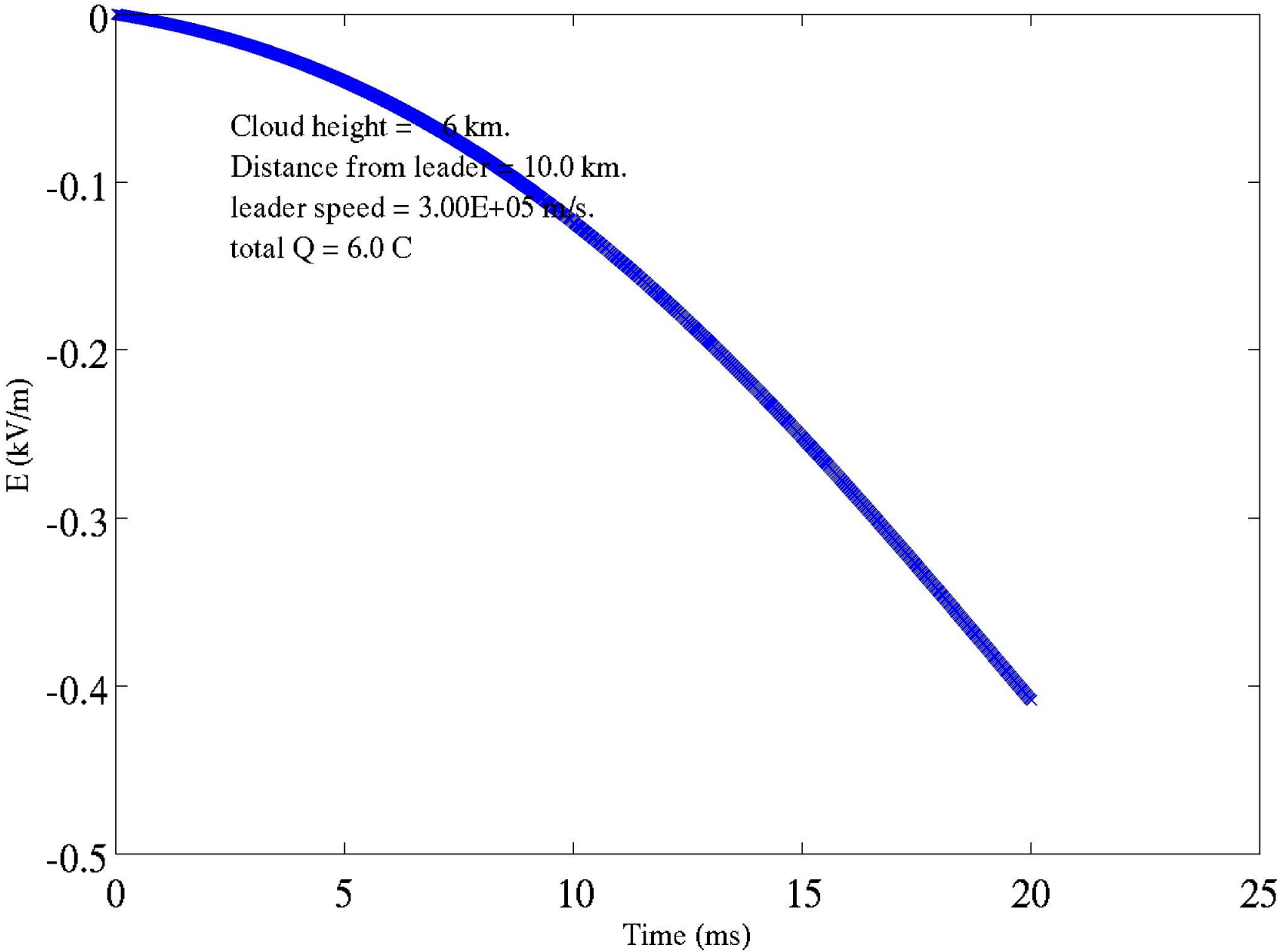
Station 7



0.84 0.85 0.86  
Time: Seconds since 20:35:49 UT

0.933 0.934 0.935 0.936 0.937  
Time: Seconds since 20:35:49 UT

Lumped Charge  
Negative CG  
Simulated leader/return stroke



# Multi-station field-change measurements

With Multi-station field change data, you can:

Distinguish IC from CG flashes

Measure polarity of a flash

Possibly locate the charge center.

Quantify the charge transferred.

# Conclusion

Distributed charge model fits a flash better than a lumped charge model.