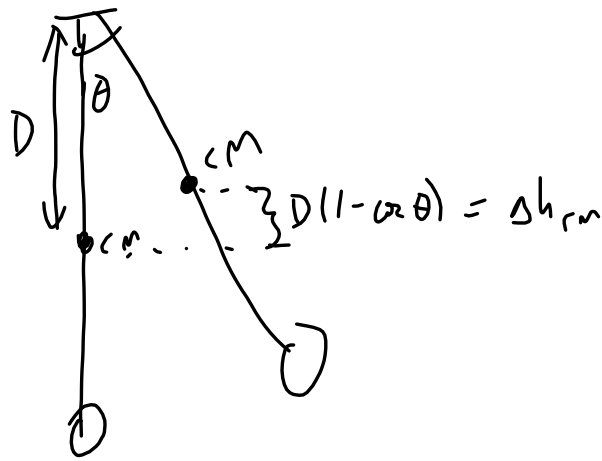


Nov 21.



Nov 21-9:32 AM

Problem from chapter 15:

$$E = \frac{1}{2} R A^2$$

A is decreasing by 3% during each cycle

$$\begin{aligned} \text{In one cycle, } E' &= \frac{1}{2} R (.97A)^2 \\ &\sim \frac{1}{2} R (.94)A^2 \end{aligned}$$

E' is 6% smaller than E

Nov 21-9:49 AM

Alternatively,

$$E = \frac{1}{2} k A^2$$

Take log of both sides

$$\begin{aligned} \ln E &= \ln\left(\frac{1}{2} k A^2\right) = \ln\left(\frac{1}{2}\right) + \ln(k) + \ln(A^2) \\ &= \ln\left(\frac{1}{2}\right) + \ln(k) + 2 \ln(A) \end{aligned}$$

Recall if $y = \ln x$

$$\frac{dy}{dx} = \frac{1}{x} \quad \text{or} \quad dy = \frac{dx}{x}$$

Now take deriv of both sides of log eq.

$$\boxed{\frac{dE}{E} = 2 \frac{dA}{A}}$$

$$\text{for } \frac{dA}{A} = 0.03 \quad (3\%)$$

$$\text{then } \frac{dE}{E} = .06 \quad (6\%)$$

Nov 21-9:54 AM

i(licker):

$$y(x,t) = \underbrace{0.1}_A \sin\left(\underbrace{3x}_k + \underbrace{10t}_\omega\right)$$

$$k = \frac{2\pi}{\lambda} \Rightarrow \lambda = \frac{2\pi}{k} = \frac{2\pi}{3}$$

Nov 21-10:28 AM